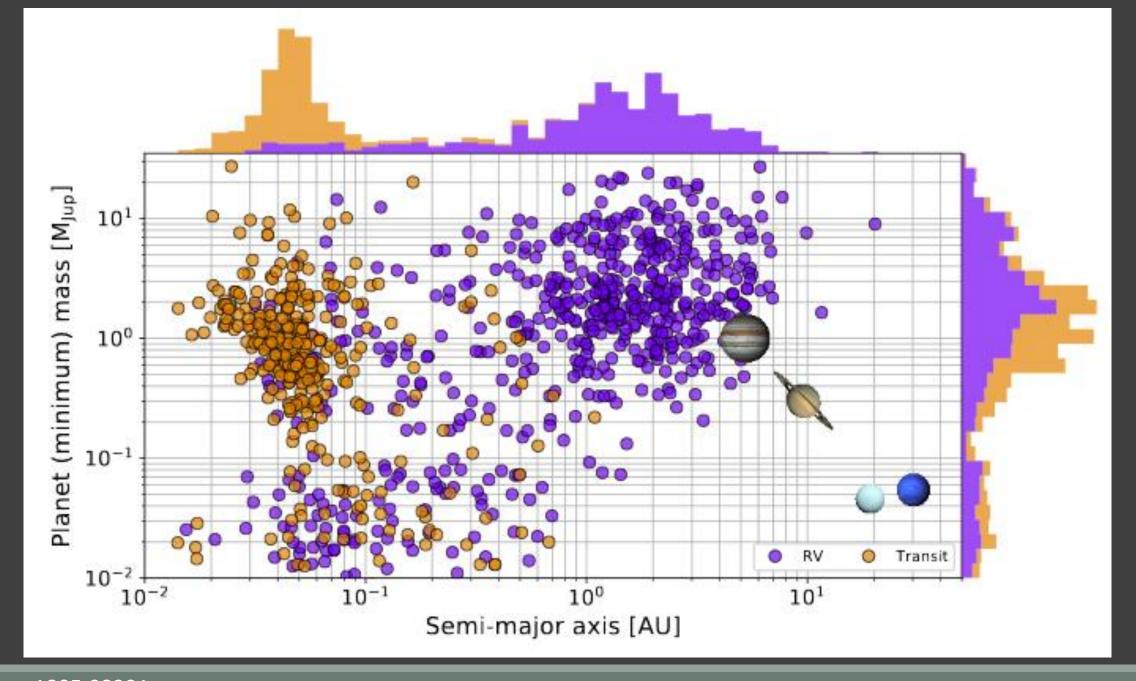
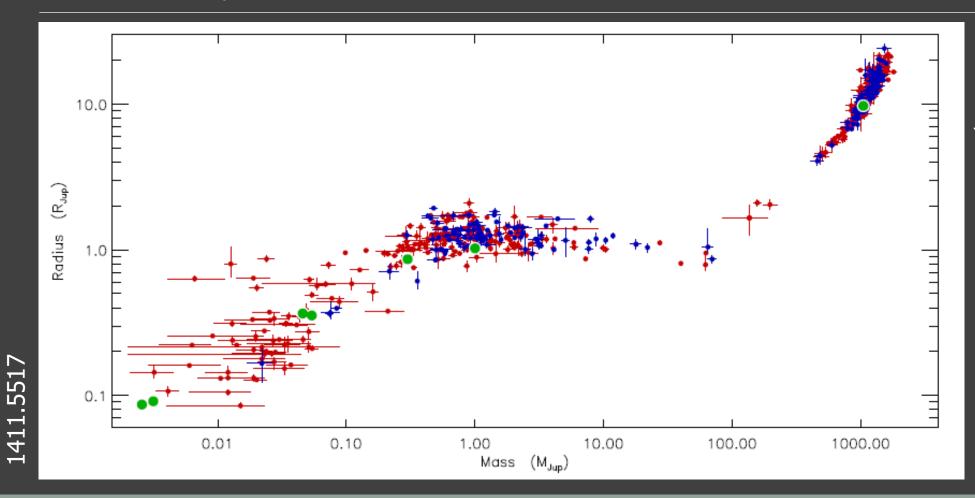


Planet detection methods

SERGEI POPOV

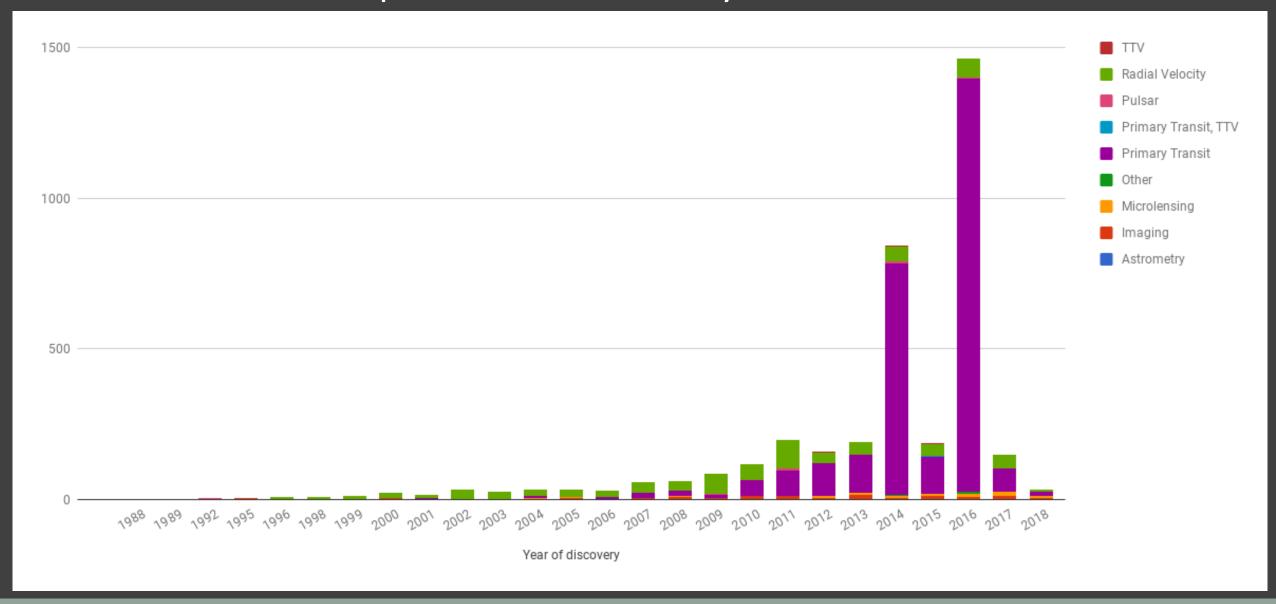


Planets, brown dwarfs stars



Brown dwarfs: (12-13)<M<(75-80) Jupiter masses

Rate of exoplanet discovery



Exoplanet catalogues

Catalog	Mass criteria	Confidence criteria	Numb	per of planets [†]
	$M_p - 1\sigma < 60M_{\text{Jup}}$	Submitted paper, conference talk		
NASA Exoplanet Archive		Accepted, refereed paper	3704	exoplane
Open Exoplanet Catalog	None listed	Open-source	3504	- VIII.
†: as of February 27th, 201	8.			

http://exoplanets.org/

http://exoplanet.eu/catalog

http://exoplanetarchive.ipac.caltech.edu/index.html

http://www.openexoplanetcatalogue.com



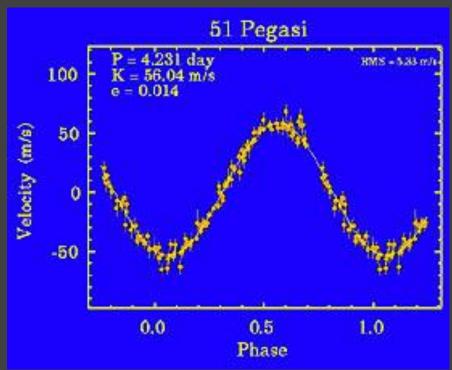
The Exoplanet Data Explorer is an interactive table and plotter for exploring and displaying data from the Exoplanet Orbit Database. The Exoplanet Orbit Database is a carefully constructed compilation of quality, spectroscopic orbital parameters of exoplanets orbiting normal stars from the peer reviewed literature, and updates the Catalog of nearby exoplanets.

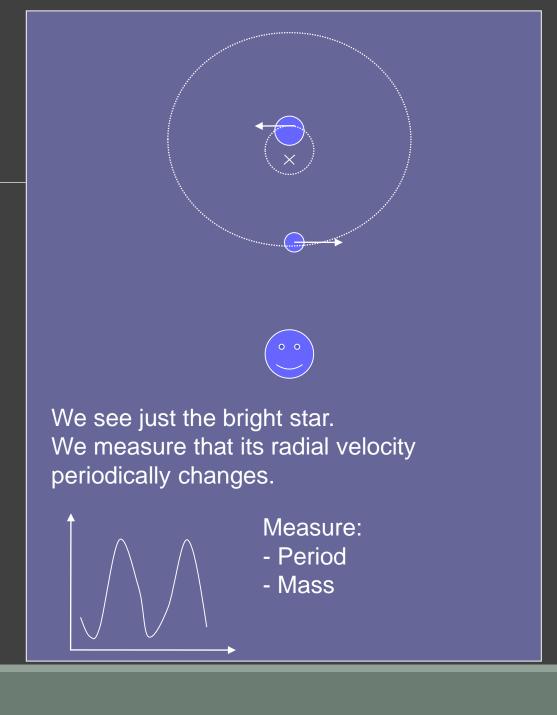
A detailed description of the Exoplanet Orbit Database and Explorers is published here and is available on astro-ph.

In addition to the Exoplanet Data healerer, we have also provided the entire Exoplanet Orbit Database in CSV format for a quick and convenient download here. A list of all archived CSVs is available here.

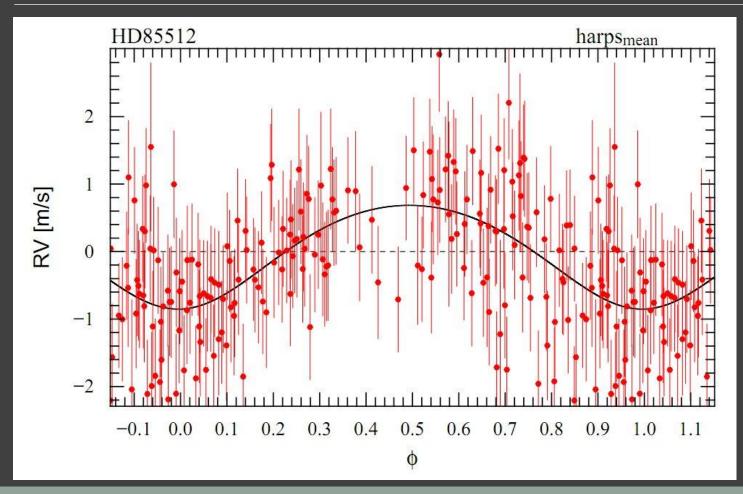
Radial velocities

Michel Mayor and Didier Queloz 1995





First light planets

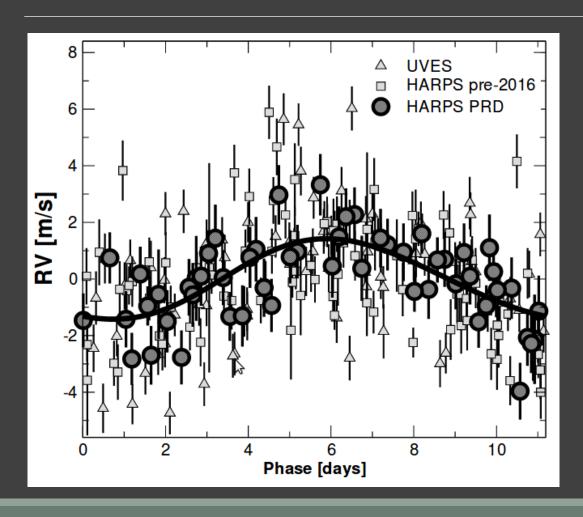


The problem is to measure small velocity variations for relatively long time.

Quality and stability of the spectrograph is more important than the telescope size.

This planet discovered by HARPS. Situated just near the zone of habilability.

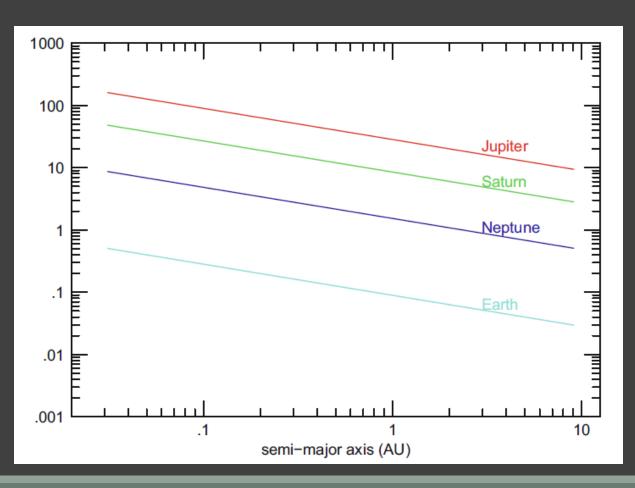
Proxima Centauri b

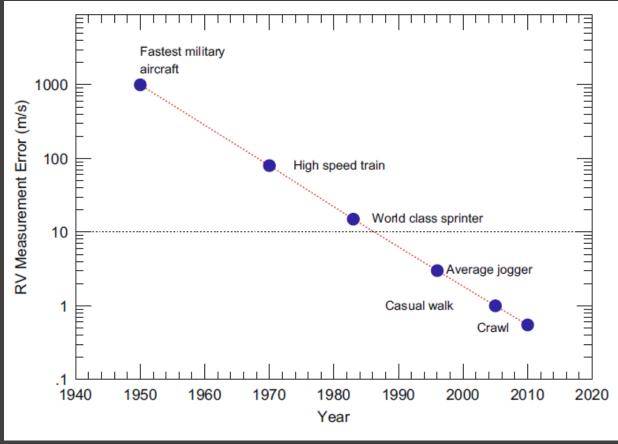


1.3 Earth masses0.05 AU11 days

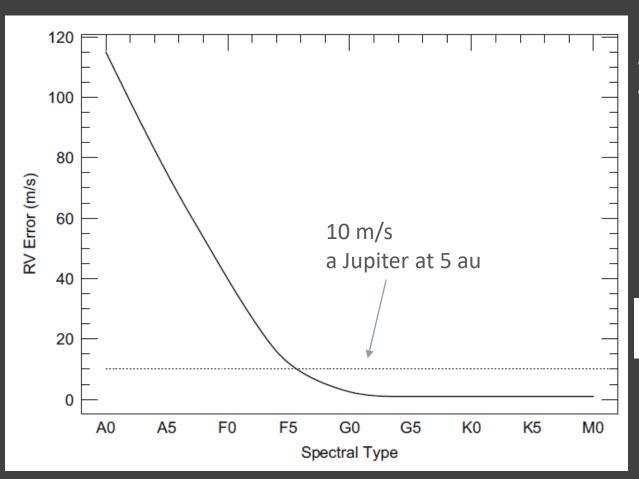
Habitability zone

Radial velocities: data and measurements





Role of a star



Difference is manly due to

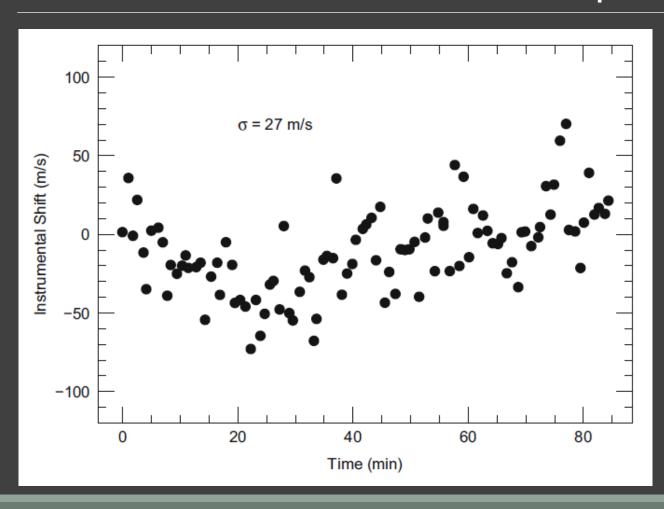
- Rapid rotation
- Smaller number of spectral lines

Without additional errors due to the instrument:

$$\sigma[m/s] = C(S/N)^{-1}R^{-3/2}B^{-1/2}(v \sin i/2)f(SpT)$$

B- band width, R – resulution ($\lambda / \Delta \lambda$)

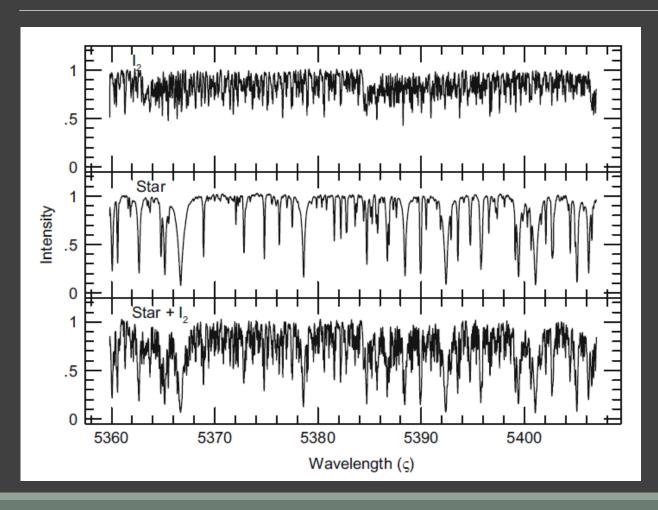
Necessity for simultaneous record of the stellar and calibration spectra



It is necessary to take the stellar and the laboratory spectra simultaneously, as the shift due to stellar velocity is very small and so the device cannot be stabilized to such level.

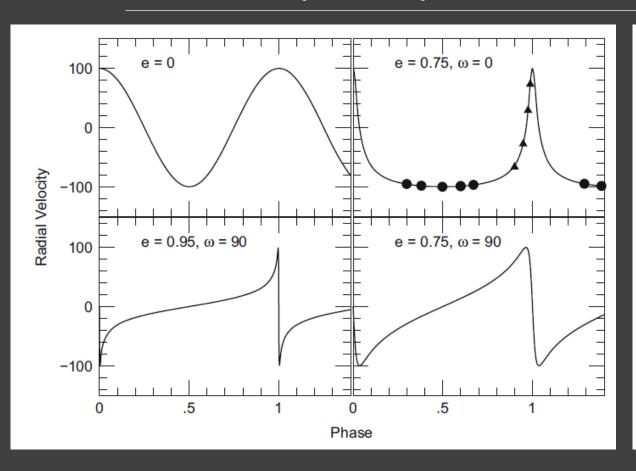
Any external mechanical influence can shift the detector so that the position of the line cannot be determined with precision high enough to detect the signal from the planet presence.

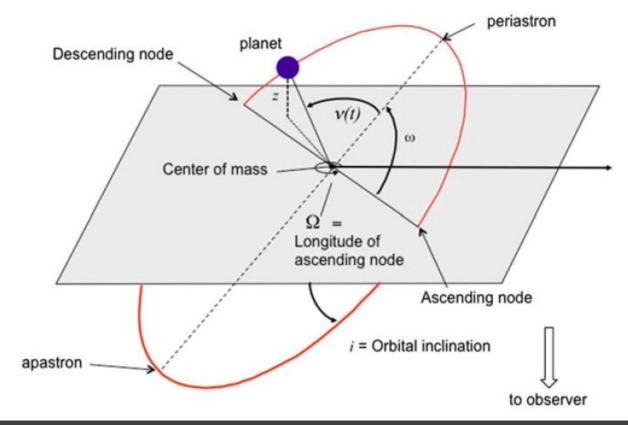
Molecular iodine cell



I₂ cell became the first effective tool to provide lines for RV measurements.

Velocity vs. phase for different orbits





Planet mass

$$f(m) = \frac{M_2^3 \sin^3 i}{(M_1 + M_2)^2} = \frac{K_1^3 P(1 - e^2)^{3/2}}{2\pi G} \approx \frac{M_2^3 \sin^3 i}{M_1^2}$$

Thus, it is necessary to know the stellar mass (M₁)

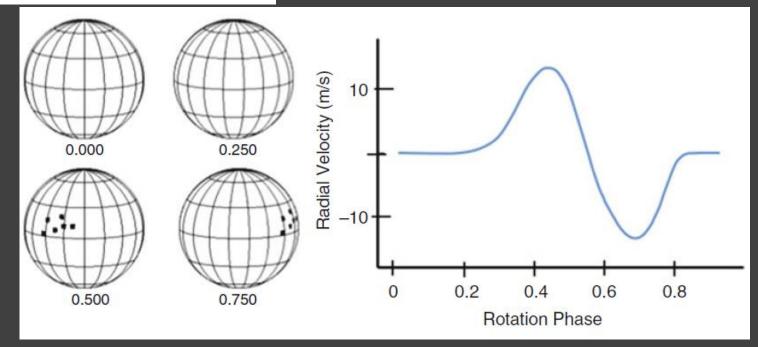
$$\langle \sin i \rangle = \frac{\int_0^{\pi} p(i) \sin i \, di}{\int_0^{\pi} p(i) \, di} = \frac{\pi}{4} = 0.79$$

For the mass function <sin³ i> is important:

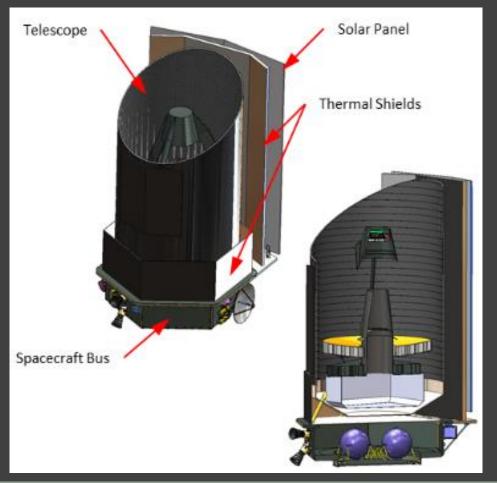
$$\frac{\int_0^{\pi} p(i)\sin^3 i \, di}{\int_0^{\pi} p(i) \, di} = 0.5 \int_0^{\pi} \sin^4 i \, di = \frac{3\pi}{16} = 0.59$$

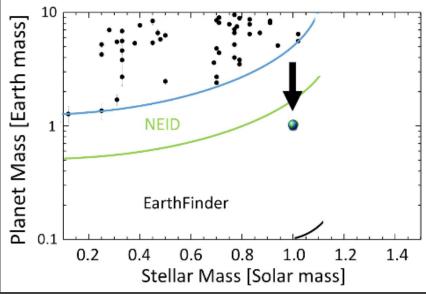
Stellar noise

Phenomenon	RV amplitude (m s ⁻¹)	Time scales
Solar-like oscillations	0.2–0.5	\sim 5–15 min
Stellar activity (e.g., spots)	1–200	\sim 2–50 days
Granulation/Convection pattern	\sim few	\sim 3–30 years



Proposals of special space mission



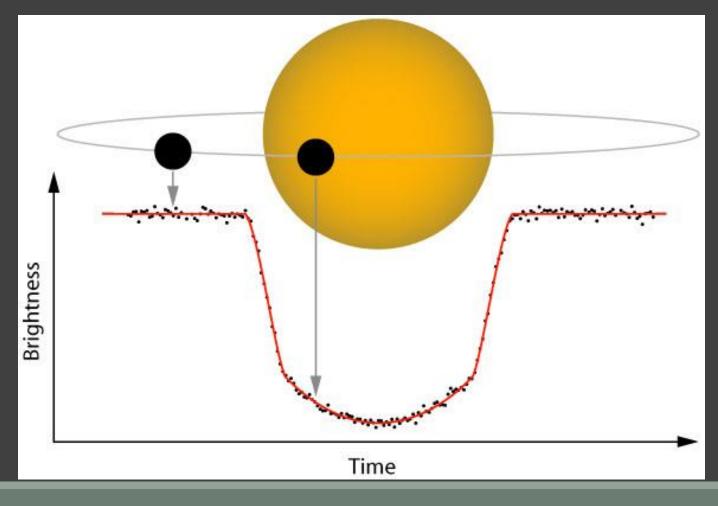


The nominal spacecraft design is based upon the Kepler spacecraft by Ball Aerospace, with a 1.4-m primary, with the starlight coupled into single-mode fibers illuminating three highresolution, compact and diffraction-limited spectrometer "arms", one covering the near-UV (200-380nm), visible(380-900 nm) and near-infrared (NIR; 900-2500 nm) respectively with a spectral resolution of greater than 150,000 in the visible and nearinfrared arms.

Planet transits

Proposed by Otto Struve in 1952

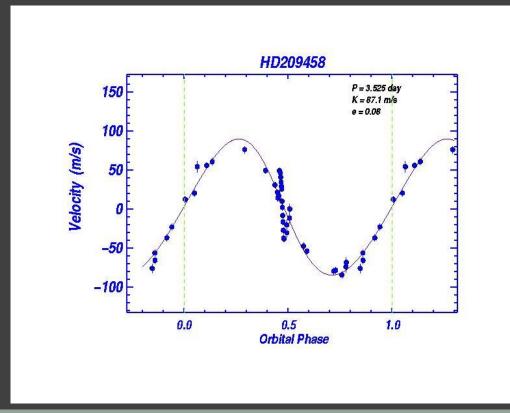


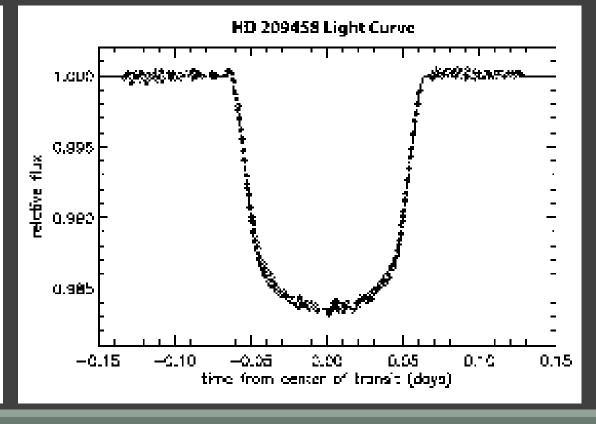




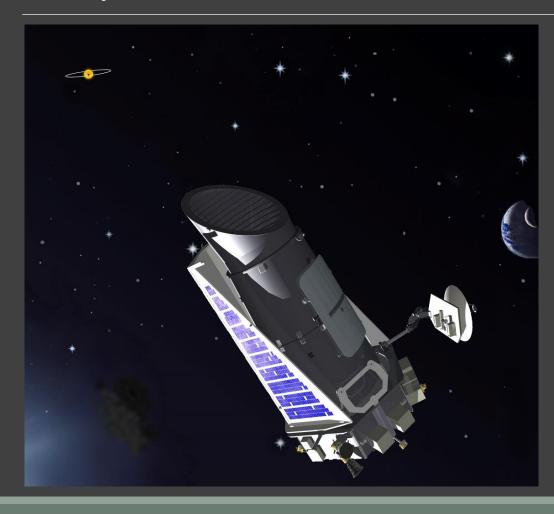
The first transit measurement. HD 209458

The first measurements of a transit was made from the ground for a planet discovered by RV, and so known orbital parameters.



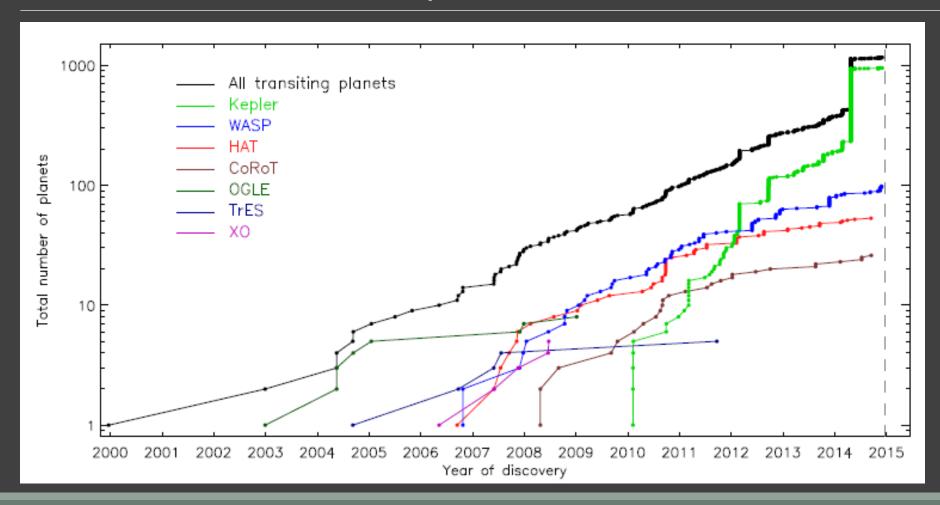


Kepler and CoRoT

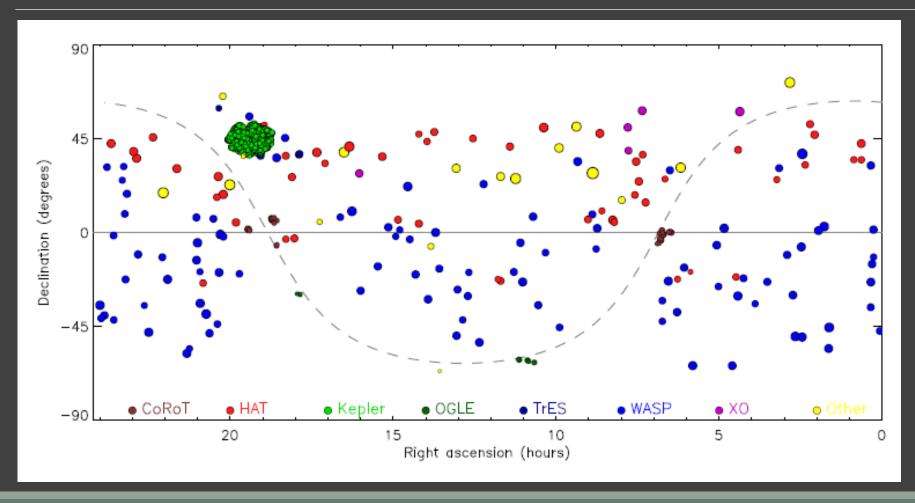




Rate of discovery

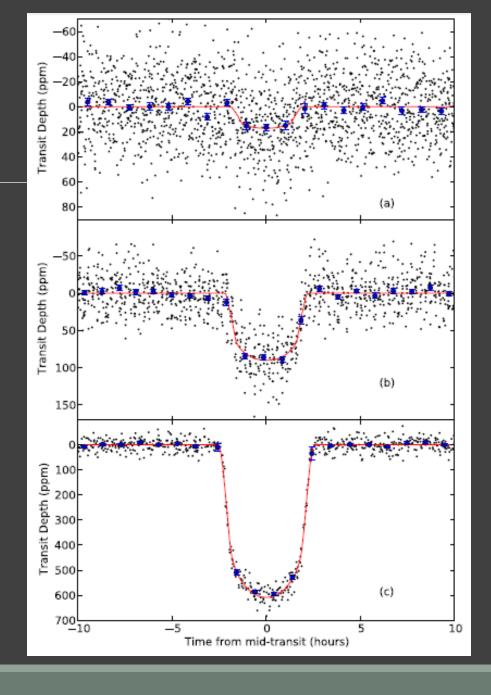


Transiting planets in the sky

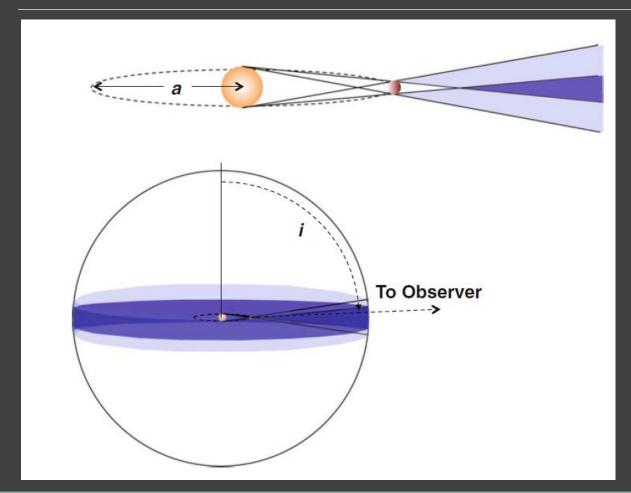


Very small planets

Kepler-37b
The first discovered exoplanet with size smaller than Mercury



Transit probability



$$\Pr\left(\cos i < \frac{R_*}{a}\right) = \simeq 0.0046 \left(\frac{R_*}{R_{\odot}}\right) \left(\frac{1 \text{au}}{a}\right).$$

Transit conditions



i is the angle between the angular-momentum vector of the planet's orbit andthe line of sight

$$b = \frac{a\cos i}{R_*}.$$

$$b = \frac{a\cos t}{R_*}.$$

$$\frac{d\Omega}{4\pi} = \frac{2\pi \sin i \, di}{4\pi} = \frac{d(\cos i)}{2}.$$

$$\Pr\left(\cos i < \frac{R_* + R_p}{a}\right) = \frac{1}{2} \int_{-(R_* + R_p)/a}^{(R_* + R_p)/a} = \frac{R_* + R_p}{a}.$$

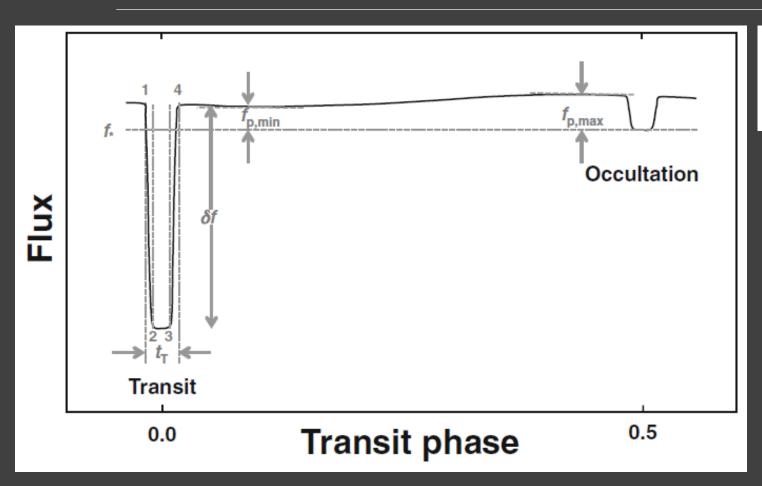
$$R_{\rm p}\ll R_{*}$$

$$R_{\rm p} \ll R_{*},$$
 $\Pr\left(\cos i < \frac{R_{*}}{a}\right) = \simeq 0.0046 \left(\frac{R_{*}}{R_{\odot}}\right) \left(\frac{1 \, {\rm au}}{a}\right).$

90°-i

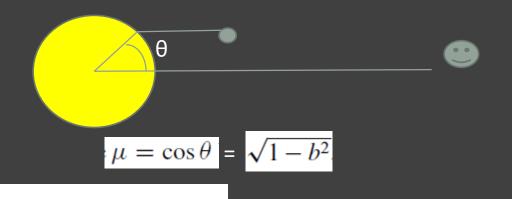
Selection in favour of close-in planets.

Transit depth



$$\frac{\Delta f}{f} \simeq \left(\frac{R_{\rm p}}{R_{\rm *}}\right)^2 = 0.0105 \left(\frac{R_{\rm p}}{R_{\rm Jup}}\right)^2 \left(\frac{R_{\rm *}}{R_{\odot}}\right)^{-2}$$

Limb darkening



Limb darkening can be taken into account in a more precise manner

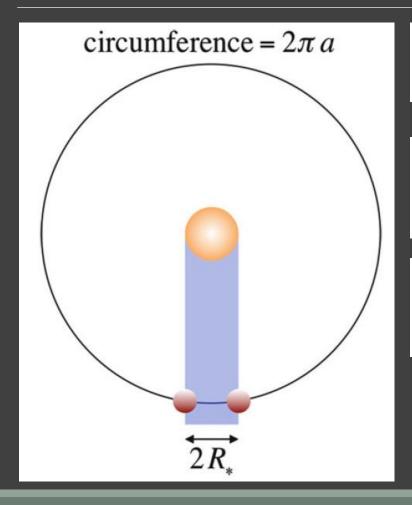
$$\frac{I(\mu)}{I_0} = 1 - \sum_{n=1}^4 u_n (1 - \mu^{n/2}).$$

$$\frac{\Delta f}{f} = \frac{\pi R_{\rm p}^2 I_0 (1 - u + u \cos \theta)}{2\pi R_{*}^2 I_0 \int_0^{\pi/2} (1 - u + u \cos \theta) \sin \theta \cos \theta d\theta}$$
$$= \frac{3(1 - u + u \sqrt{1 - b^2})}{3 - u} \left(\frac{R_{\rm p}}{R_{*}}\right)^2.$$

 $I = I_0(1 - u(1 - \mu))$

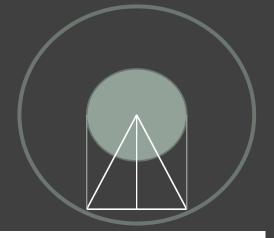
Transit duration

$$\frac{t_{\rm tr}}{P} \simeq \frac{R_*}{a} \frac{\sqrt{(1 + R_{\rm p}/R_*)^2 - b^2}}{\pi} \frac{1 + e \sin \omega}{1 - e^2}.$$



$$\frac{T}{P} = \frac{1}{\pi} \sin^{-1} \frac{R_*}{a}$$

$$\frac{T}{P} = \frac{1}{\pi} \sin^{-1} R_* \left(\frac{4\pi^2}{GM_* P^2} \right)^{1/3}$$



$$\frac{t_T}{P} = \frac{1}{\pi} \sin^{-1} \left(\frac{R_*}{a} \left\{ \frac{[1 + (R_p/R_*)]^2 - [(a/R_*)\cos i]^2}{1 - \cos^2 i} \right\}^{1/2} \right)$$

 t_T – from first to last contact

For
$$\cos i \ll 1$$

For
$$\cos i \ll 1$$

$$\frac{t_T}{P} = \frac{R_*}{\pi a} \sqrt{\left(1 + \frac{R_p}{R_*}\right)^2 - b^2}.$$

System parameters

$$T \simeq 3h \left(\frac{P}{4d}\right)^{1/3} \left(\frac{\rho_*}{\rho_\odot}\right)^{-1/3}$$

Stellar density estimate

$$\frac{dv_{\rm r}}{dt} = \frac{2\pi K}{P} = \frac{GM_{\rm p}}{a^2} = g_{\rm p}\frac{R_{\rm p}^2}{a^2} = g_{\rm p}\frac{R_{\rm p}^2}{R_*^2}\frac{R_*^2}{a^2},$$

$$g_{\rm p} = \frac{2\pi K}{P}\left(\frac{R_*}{R_{\rm p}}\right)^2\left(\frac{a}{R_*}\right)^2$$
 Planet density
$$\rho_{\rm p} = \frac{3g_{\rm p}}{4\pi GR_{\rm p}} = \frac{3g_{\rm p}}{4\pi GR_*}\left(\frac{R_*}{R_{\rm p}}\right)$$

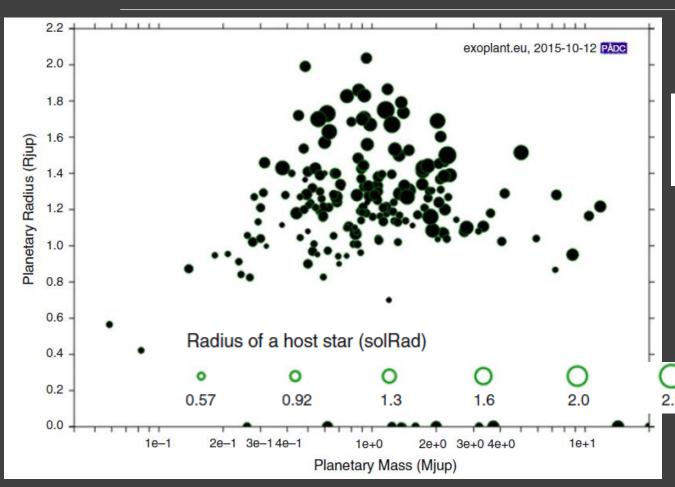
$$g_{\rm p} = \frac{2\pi K}{P} \left(\frac{R_*}{R_{\rm p}}\right)^2 \left(\frac{a}{R_*}\right)^2$$

$$R_* = \theta d = \theta/\hat{\pi}$$
:

$$\rho_{\rm p} = \frac{3g_{\rm p}}{4\pi GR_{\rm p}} = \frac{3g_{\rm p}}{4\pi GR_*} \left(\frac{R_*}{R_{\rm p}}\right)$$

$$\rho_{\rm p} = \frac{3g_{\rm p}\hat{\pi}}{4\pi G\theta} \left(\frac{R_*}{R_{\rm p}}\right)$$

Ground based searches with small cameras



It is expected to have one hot Jupiter per 82 sq. degrees at V<12

$$3600 \times \frac{180}{\pi} \frac{1}{f} = \frac{206265}{f} \operatorname{arcsec/mm},$$

Thus one source per 82 sq.deg cooresponds to f=174 mm

For 200-mm camera we have:

$$3600 \times \frac{180}{\pi} \frac{1}{f} = 1031 \,\text{arcsec/mm},$$

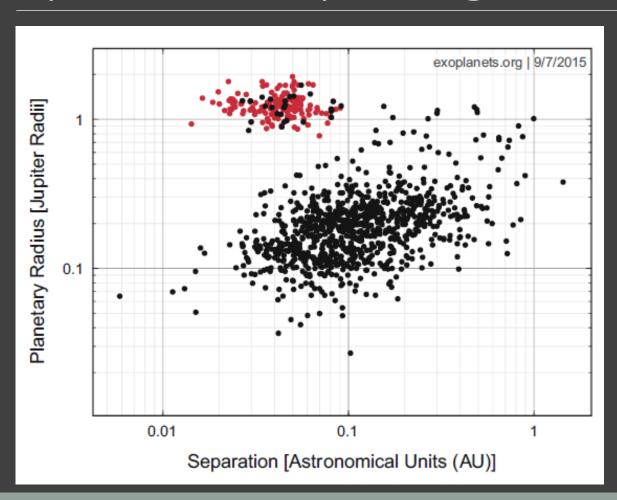
$$0.0135 \times 1031 = 13.9 \,\text{arcsec/pixel}$$

2.3 Not AV.

FOV is: which gives 52 sq. deg.

$$\frac{2048 \times 13.9}{3600} = 7.9 \text{ degrees},$$

Space surveys vs. ground based



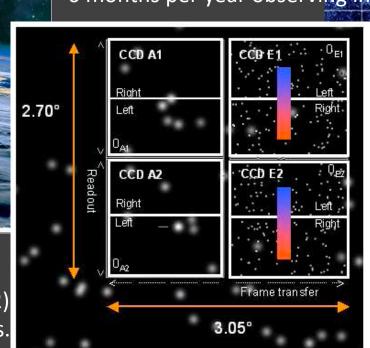
Hot jupiters are rare, but easy to detect from Earth. Space surveys (here – Kepler) show mostly different types of planets.

CoRoT

December 2006 – November 2012 27-cm telescope



Focal planet arrangement of the asteroseismology (A1, A2) and the exoplanet (E1, E2) CCDs.



6 months per year observing in the anti-center direction.

Position of the CoRoT eyes in the sky. The blue and red circles represent the center and anti-center.

The satellite spent approximately 6 months per year

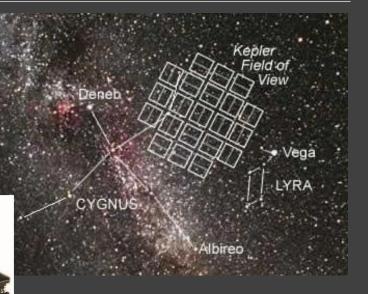
observing in the center direction and

Kepler

2009-2013 + K2-mission 0.95 m telescope

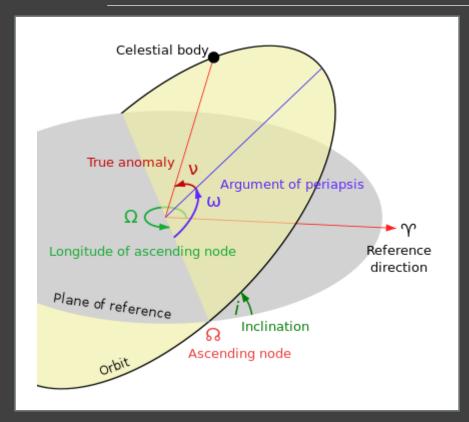


Monitoring of ~150 000 stars



Field of view ~115 sq. degrees

Orbital elements

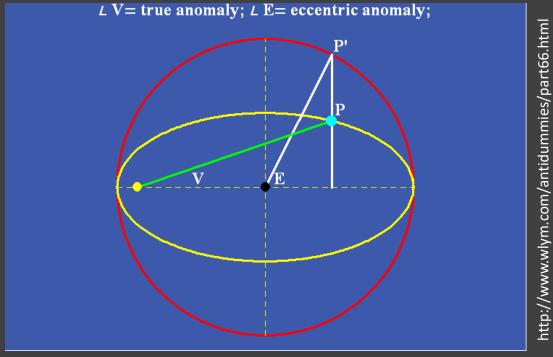


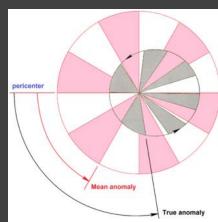
v – true anomaly

 ω – argument of periastron

E - eccentric anomaly

M – mean anomaly



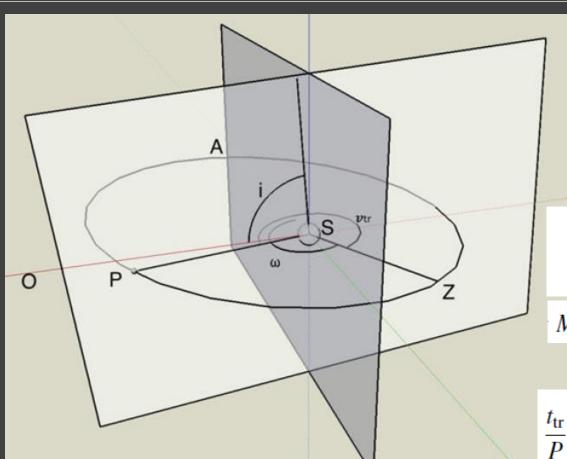


Orbital parameters



 $d=r \sin \alpha$ $z=d/R_{star}$

 $p=R_p/R_{star}$



$$v_{\rm tr} = \frac{\pi}{2} - \omega$$
 $v_{\rm occ} = \frac{3\pi}{2} - \omega$,

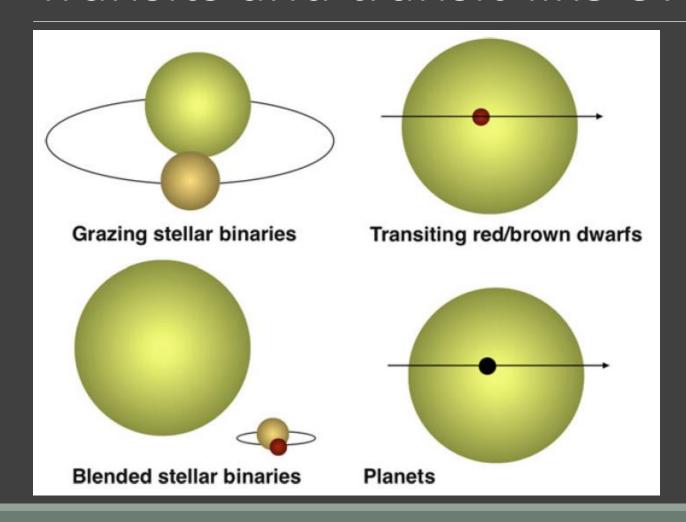
$$E = 2 \tan^{-1} \left[\sqrt{\frac{1-e}{1+e}} \tan \frac{v}{2} \right]$$

$$t_{\rm tr} - t_0 = \frac{P}{2\pi} M_{\rm tr} = \frac{P}{2\pi} (E_{\rm tr} - e \sin E_{\rm tr}).$$

$$M = E - e \sin E$$
. $E_{i+1} = M + e \sin E_i$.

$$\frac{t_{\rm tr}}{P} \simeq \frac{R_*}{a} \frac{\sqrt{(1 + R_{\rm p}/R_*)^2 - b^2}}{\pi} \frac{1 + e \sin \omega}{1 - e^2}.$$

Transits and transit-like events



Spectral lines and planet/star mass ratio

$$\dot{v}_{\rm r} \simeq \frac{GM_*}{a^2} = \frac{2\pi K}{P} \frac{M_*}{M_{\rm p}}.$$

Measurements of the radial acceleration (due to observations of spectral lines in the planet atmosphere) allow to measure stellar mass.

Observations of spectral line in the planet atmosphere can allow to measure important parameters of the system!

$$\frac{T}{P} = \frac{1}{\pi} \sin^{-1} \frac{R_*}{a}$$

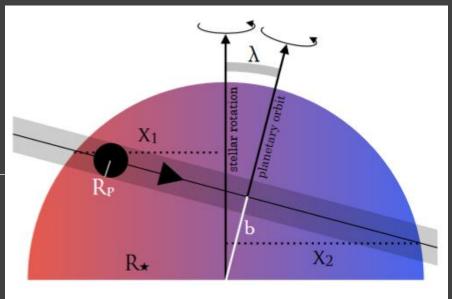
$$\delta v_{\rm r} \simeq \frac{P}{\pi} \frac{R_*}{a} \frac{2\pi K}{P} \frac{M_*}{M_{\rm p}}.$$

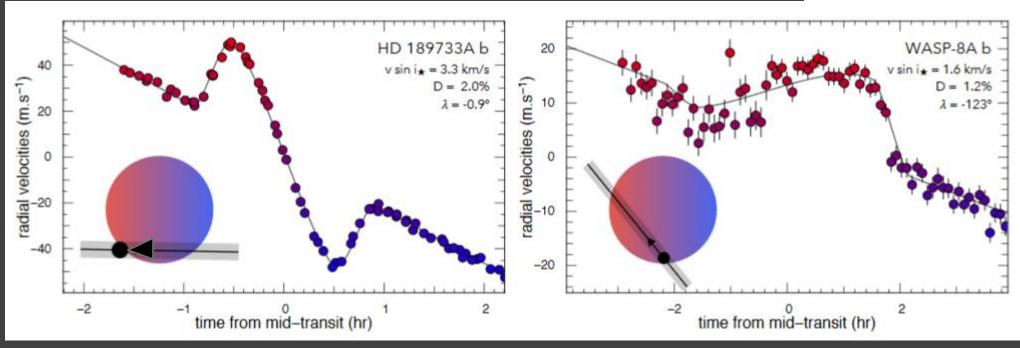
If narrow spectral lines in the planet atmosphere can be observed during transit then it is possible to derive $M_{\text{star}}/M_{\text{planet}}$

Rossiter-McLaughlin effect

$$A_{\rm RM} \simeq \frac{2}{3} D v \sin i_{\star} \sqrt{1 - b^2}$$

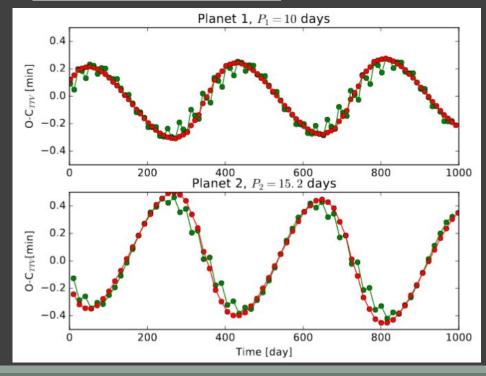
$$D = (R_{\rm p}/R_{\star})^2$$



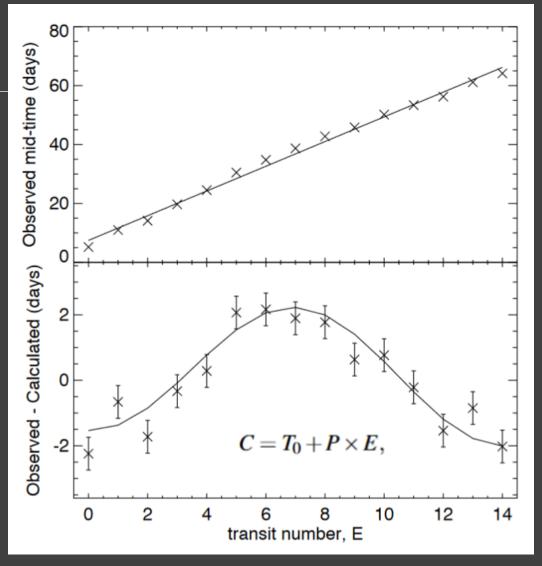


Transit timing variations

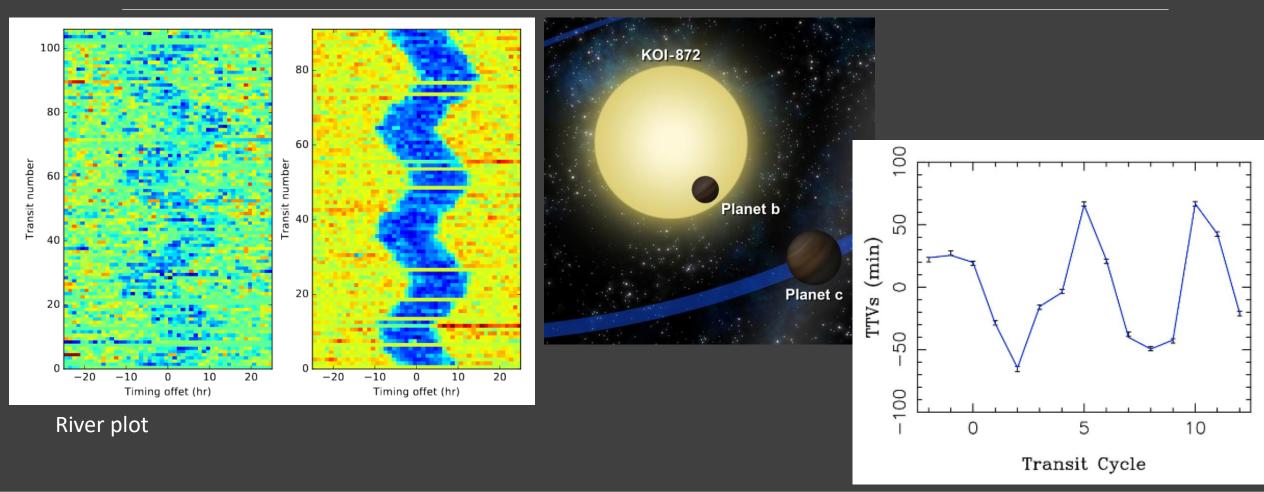
$$\delta t_1 = P_1 rac{m_2}{m_0} f_{12}(lpha_{12}, heta_{12}), \quad lpha_{ij} = \min(a_i/a_j, a_j/a_i) \ \delta t_2 = P_2 rac{m_1}{m_0} f_{21}(lpha_{12}, heta_{21}), \quad eta_{ij} = (\lambda_i, e_i, \omega_i, I_i, \Omega_i, \lambda_j, e_j, \omega_j, I_j, \Omega_j)$$



Transit-timing variations of two low-eccentricity planets with larger mass ratio (green) compared with two smaller mass planets with larger eccentricity $e_1=e_2=0.04$



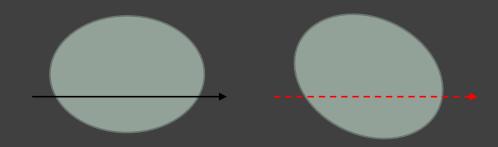
Transit timing variations (TTV)

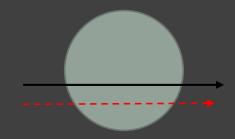


1706.09849 1905.04262

Transit duration variations (TDV)

- Torque due to the rotational oblateness of the star;
- Eccentricity variations due to a resonant interaction;
- Inclination changes due to secular precession of the orbital plane.

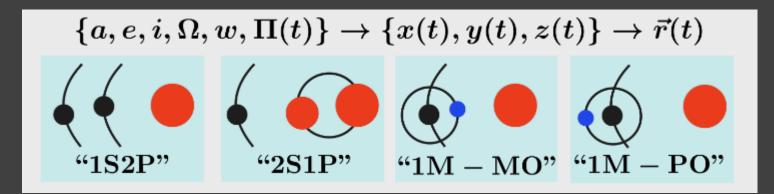


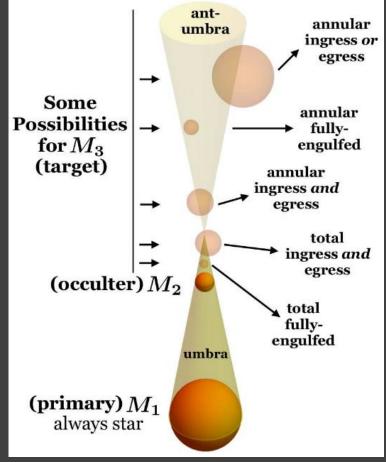




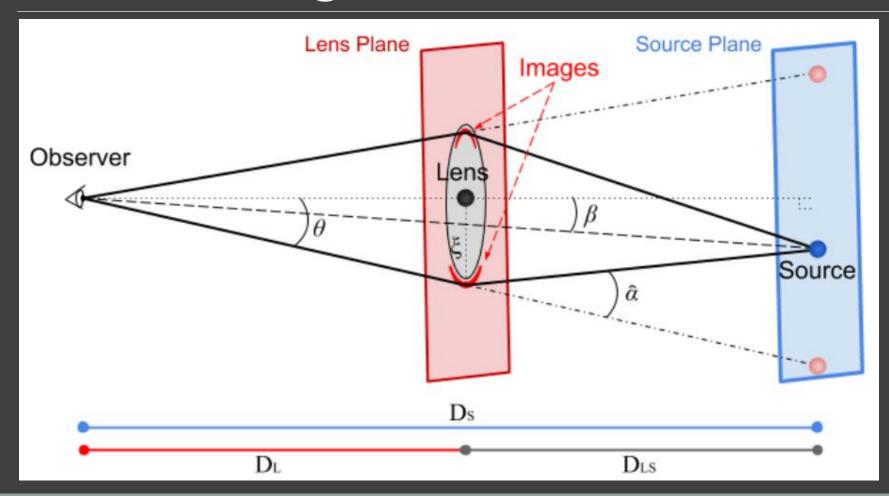


Calculations of transits in 3 body systems



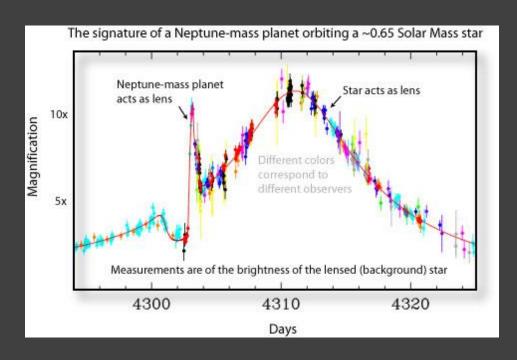


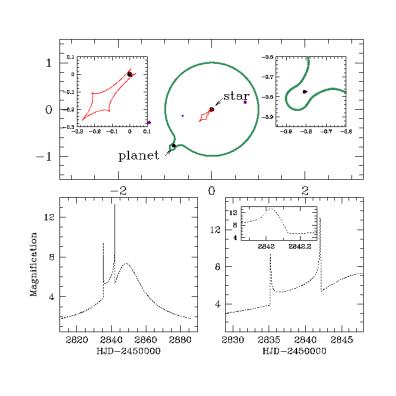
Microlensing



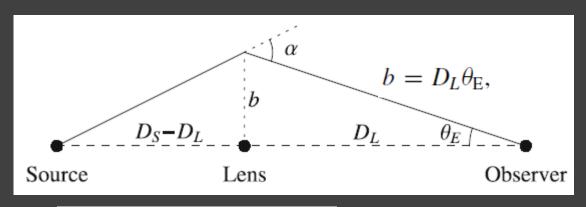
Exoplanet detection via microlensing

- Sensitive to low mass planets (down to 0.1 M_{earth})
- Sensitive to wide orbits (1-4 AU)
- Sensitive to free-floating planets





Gravitational microlensing - 1



Probability of microlensing is small. For stars it is $^{\sim}10^{-5} - 10^{-6}$ per year. For planets it is lower, as $\theta_{\rm E} \sim M^{1/2}$ and $M_{\rm planet}/M_{\rm star} \sim 10^{-4}$

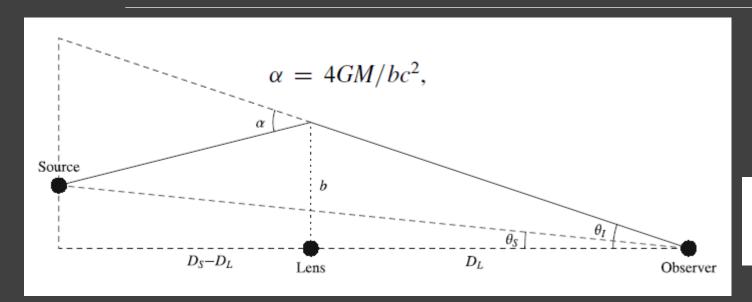
$$\alpha = b/D_L + b/(D_S - D_L).$$

$$\theta_{\rm E} = \sqrt{\kappa M \pi_{\rm rel}}; \qquad \kappa \equiv \frac{4G}{c^2 {\rm AU}} \simeq 8.14 \, \frac{{\rm mas}}{M_{\odot}},$$

$$\pi_{\text{rel}} = \text{AU}(D_L^{-1} - D_S^{-1})$$

$$\tau = \int dD_L \pi (D_L \theta_E)^2 n(D_L) \sim \frac{4\pi GMn}{c^2} D^2 = \frac{4\pi G\rho}{c^2} D^2 \sim \frac{GM_{\text{tot}}}{Dc^2} \sim \frac{v^2}{c^2}$$

Gravitational microlensing - 2



$$(\theta_I - \theta_S)D_S = \alpha(D_S - D_L)$$

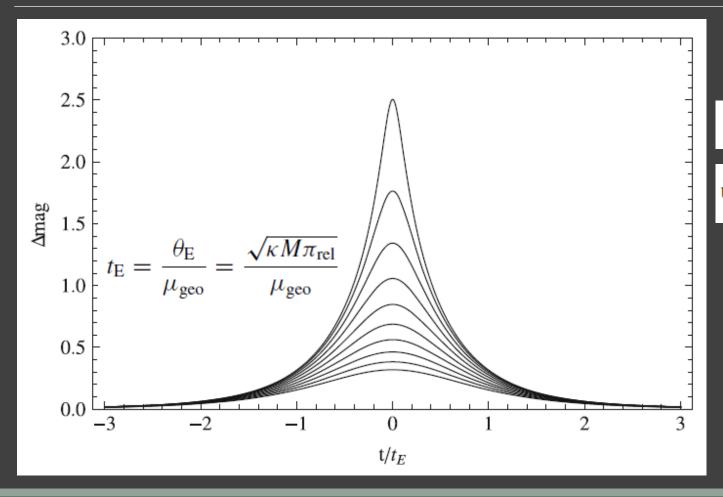
$$\theta_I(\theta_I - \theta_S) = \frac{4GM\pi_{\rm rel}}{c^2{\rm AU}} \equiv \theta_{\rm E}^2.$$

$$u_{\pm} = \frac{u \pm \sqrt{u^2 + 4}}{2}; \qquad u \equiv \frac{\theta_S}{\theta_E} \qquad u_{\pm} \equiv \frac{\theta_{I,\pm}}{\theta_E}.$$

$$A_{\pm} = \pm \frac{u_{\pm}}{u} \frac{\partial u_{\pm}}{\partial u} = \frac{A \pm 1}{2}$$

$$A = \frac{u^2 + 2}{u\sqrt{u^2 + 4}} = (1 - Q^{-2})^{-1/2}; \qquad Q \equiv 1 + \frac{u^2}{2},$$

Light curves for point lenses



$$F(t) = f_s A(\mathbf{u}(t; t_0, u_0, t_E), \rho) + f_b;$$

$$\mathbf{u}(t; t_0, u_0, t_{\rm E}) = (\tau(t), \beta) = \left(\frac{t - t_0}{t_{\rm E}}, u_0\right).$$

Finite size lense

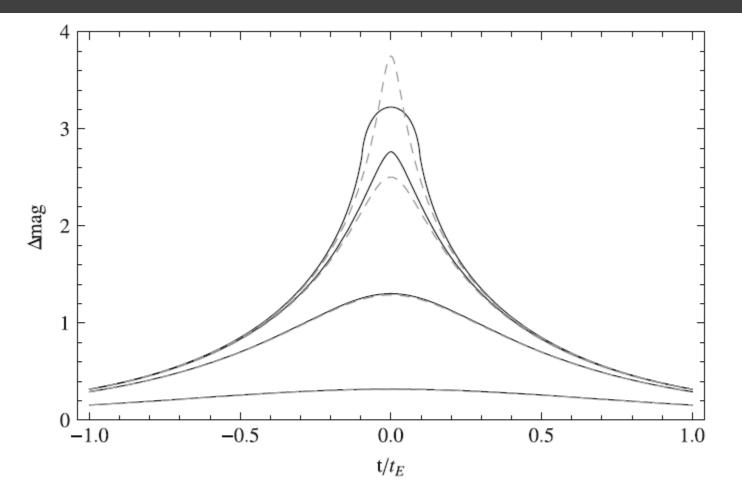
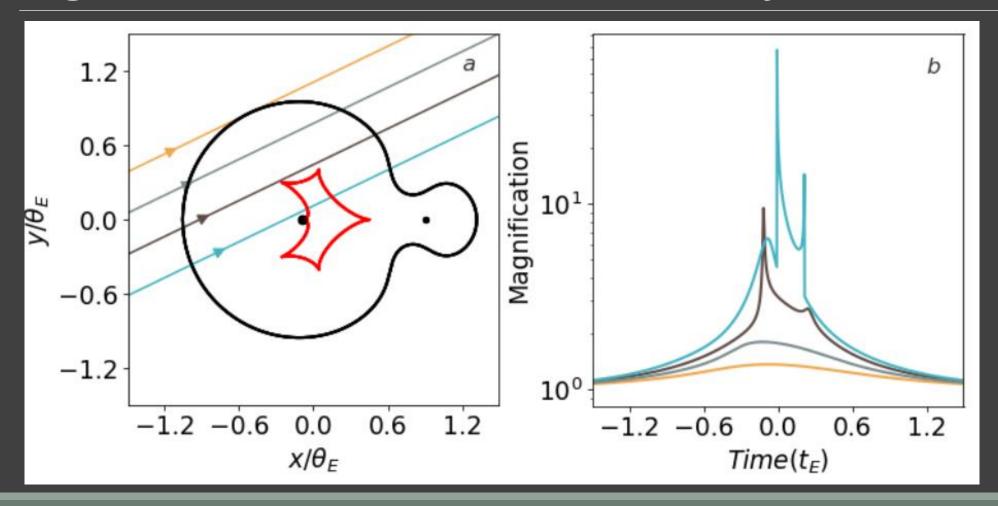


Fig. 3.4 Magnification as a function of time in microlensing events for an impact parameters $u_0 = 10^{-n}$ with $n \in \{-1.5, -1, -0.5, 0\}$. The angular source size is $0.1\theta_E$. Note that when the impact parameter is greater than the source radius, the magnification is higher than the corresponding Paczynski curve (*dashed*). When the impact parameter is smaller than the source radius (source passing right behind the lens), the magnification saturates

Light curves form different trajectories

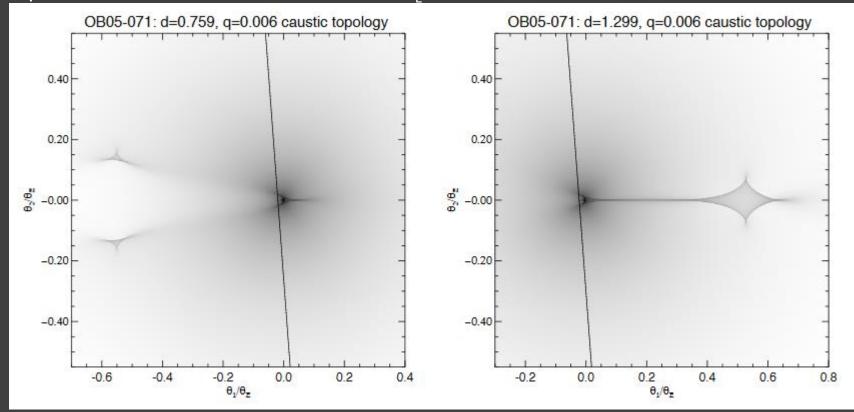


Binary lense

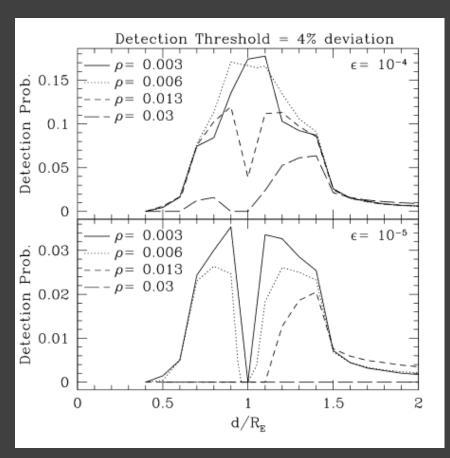
s – separation of components in units of the Einstein radius θ_{E} .

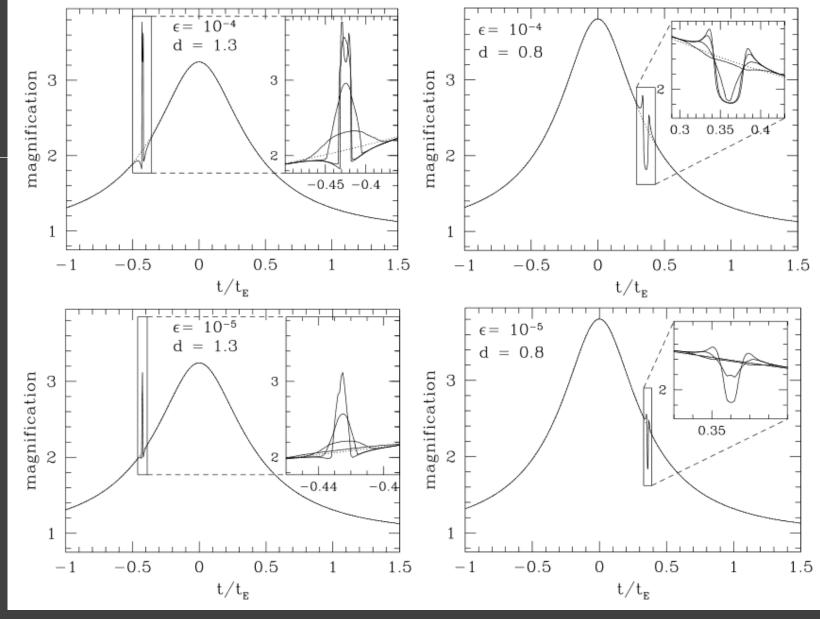
q - mass ratio.

$$r_{\perp} = s\theta_{\rm E}D_L$$

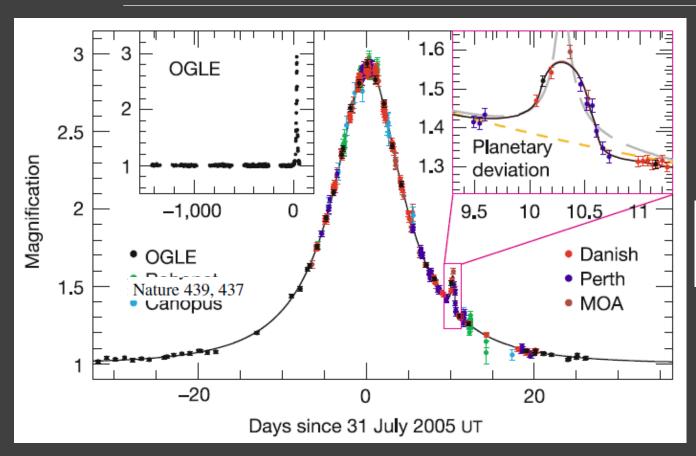


Light curves





Cold Neptune



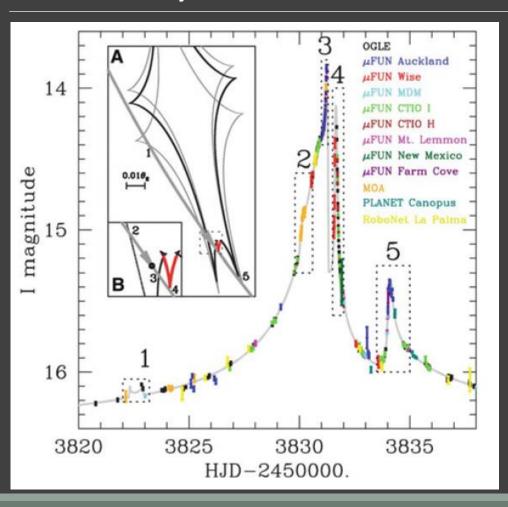
$$A_p = \frac{2}{\rho_p^2} = 2\left(\frac{\theta_{\mathrm{E},p}}{\theta_*}\right)^2$$

$$\frac{t_p}{t_{\rm E}} = \frac{\theta_*}{\theta_{\rm E}}.$$

$$q = \frac{m_p}{M} = \frac{\theta_{E,p}^2}{\theta_E^2} = \frac{\theta_{E,p}^2}{\theta_*^2} \frac{\theta_*^2}{\theta_E^2} = \frac{A_p}{2} \frac{t_p^2}{t_E^2} \simeq 1.0 \times 10^{-4}$$

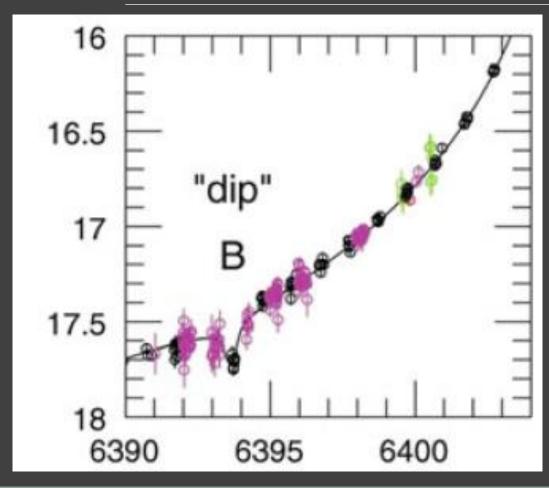
$$r_{\perp} = s\theta_{\rm E}D_L = 2.2 \,\mathrm{AU} \frac{D_L}{8 \,\mathrm{kpc}}.$$

Solar system – like system

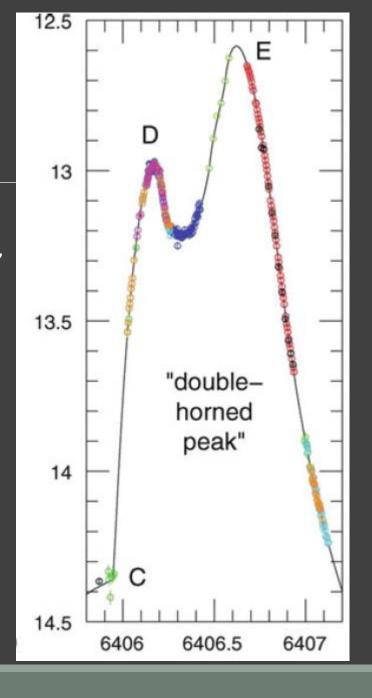


Jupiter and Saturn analogues. Distances are slightly smaller consistent with smaller mass of the host star.

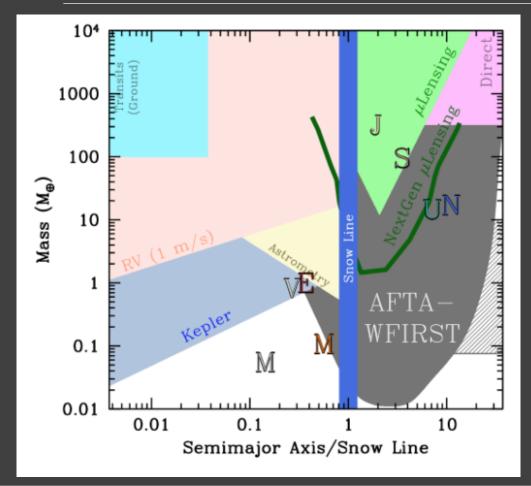
Dips due to planets

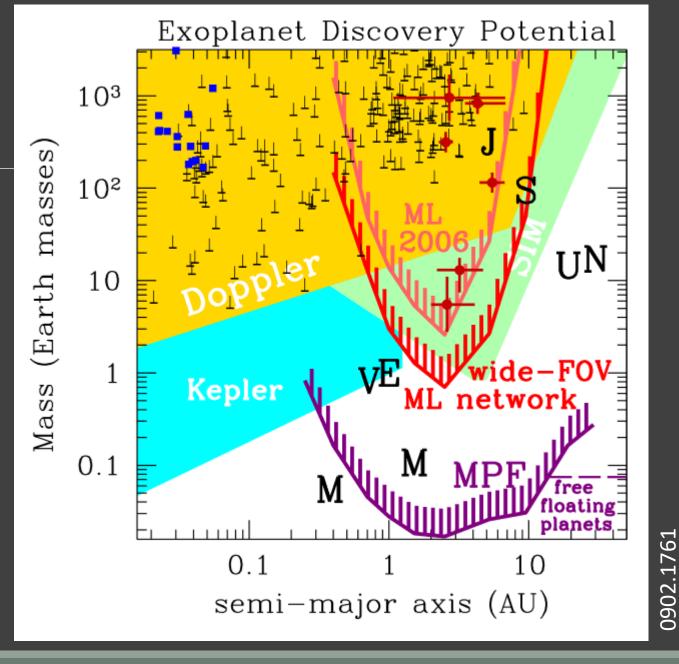


A terrestrial-mass planet in a binary. The planet orbits a red dwarf (1 AU), which orbits another star (15 AU)

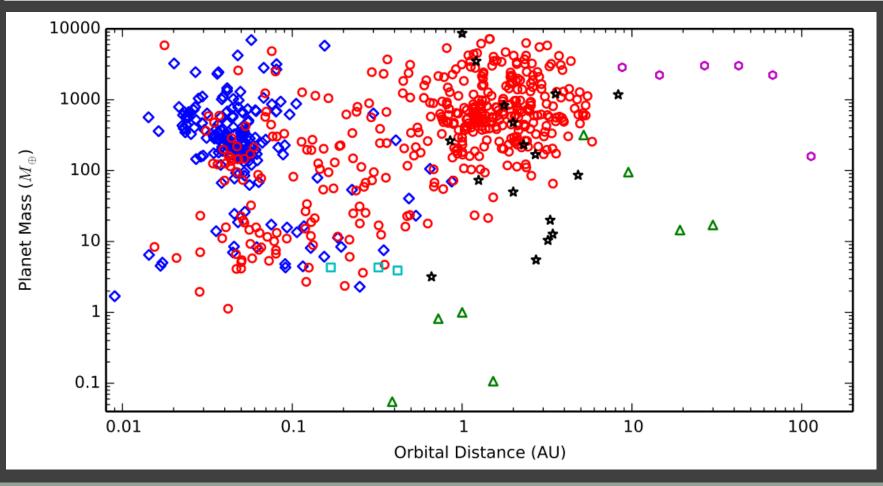


Comparison of three methods



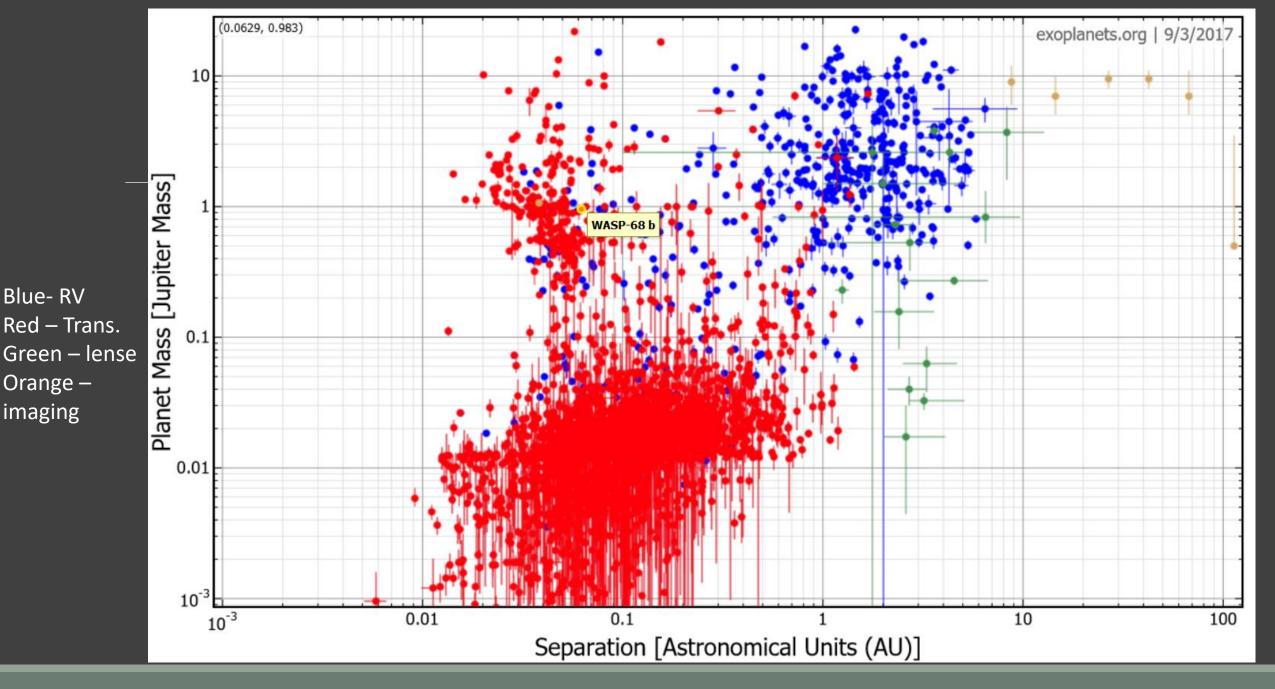


Discoveries by different methods

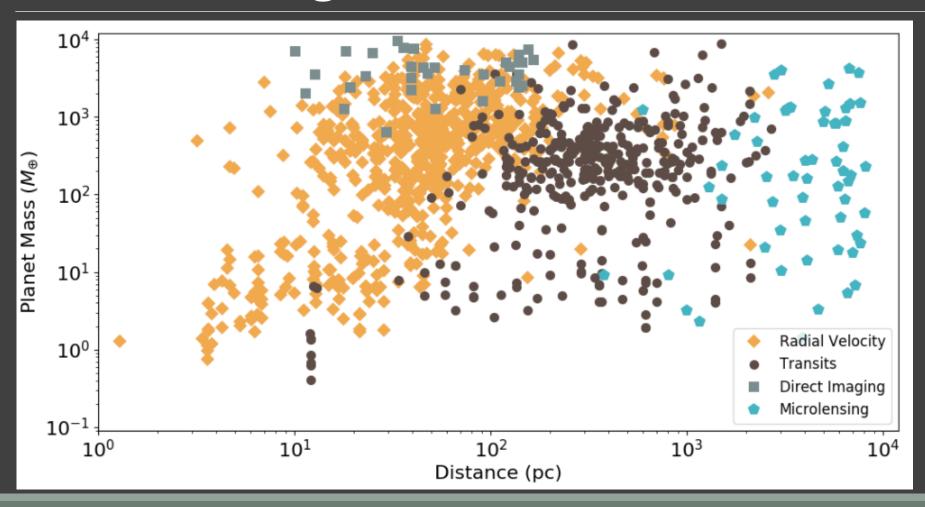


RV = red circles, transit = blue diamonds, imaging = magenta hex., gravlens = black stars, psr time = cyan squares.

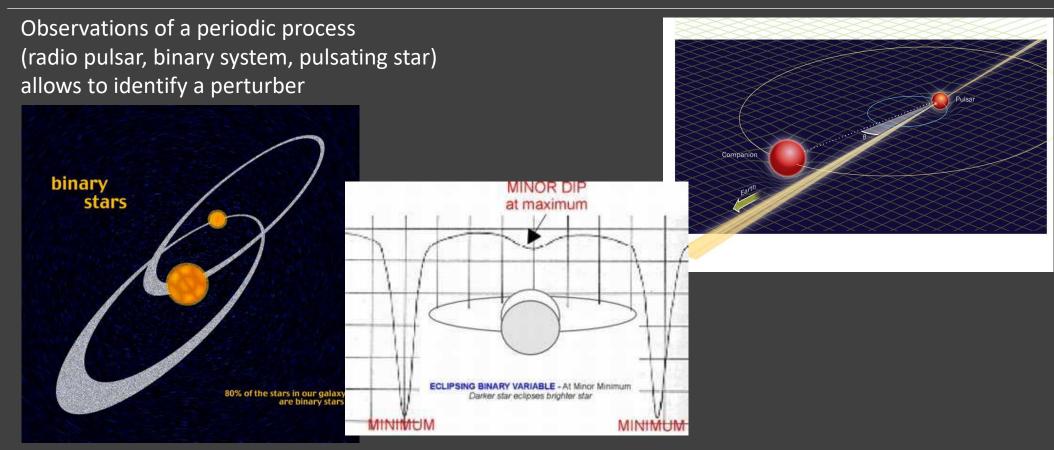
Planets in the Solar System are green triangles.



Microlensing wins in distance!

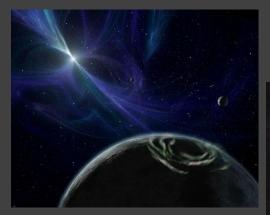


Timing



Planets around a radio pulsar

Wolszczan, Frail 1992



PSR B1257+12 Millisecond pulsar



Эпоха (годы)

Three light planets

Companion (in order from star)	Mass	Semimajor axis (AU)	Orbital period (days)
A (b)	$0.020 \pm 0.002 M_{\oplus}$	0.19	25.262 ± 0.003
B (c)	4.3 ± 0.2 M _⊕	0.36	66.5419 ± 0.0001
C (d)	$3.9 \pm 0.2 M_{\oplus}$	0.46	98.2114 ± 0.0002

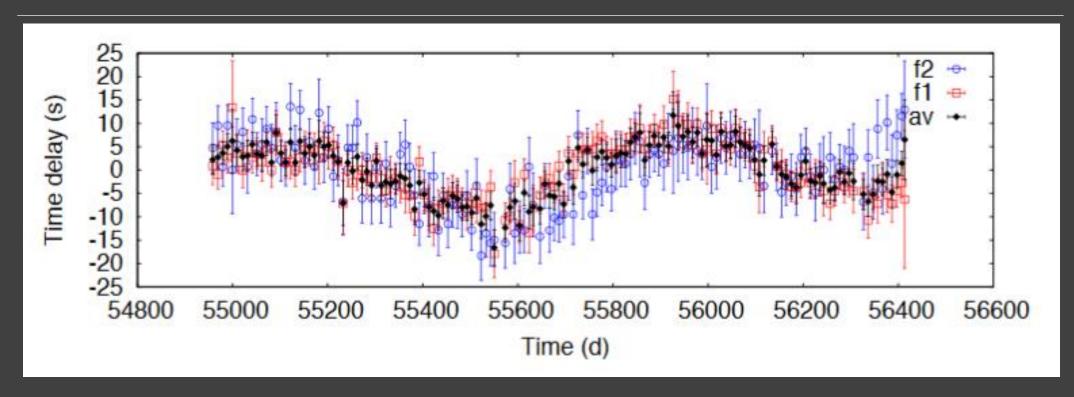
Time delay
$$A \simeq \frac{a \sin i}{c} \frac{m_p}{M_{\star}}$$
,

$$\tau(t) = -\frac{1}{c} \int_0^t v_{\text{rad}}(t') dt'$$

$$v_{\rm rad}(t) = -c \frac{\mathrm{d}\tau}{\mathrm{d}t}$$

See 1708.00896, details in 1404.5649

Time delays for KIC 7917485



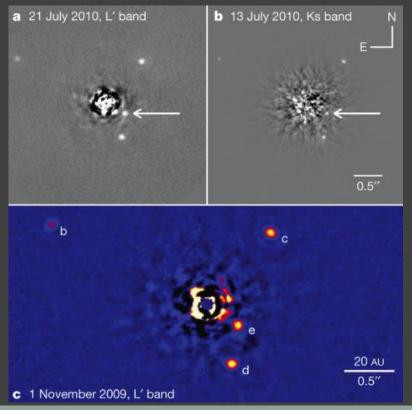
δ Scuti-type star Planet: M~11 M_{Jup} Porb ~ 840 days Pulsations 1.18 and 1.56 hours.

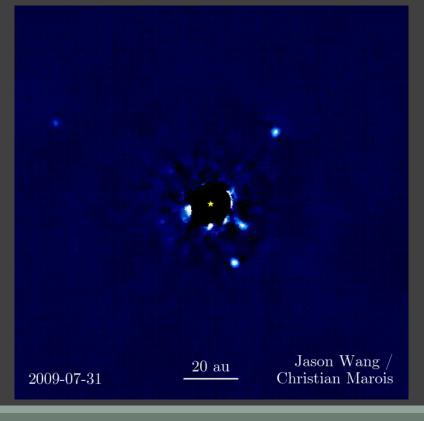
Δt~ 7 sec Habitable zone!

Direct imaging

Now it is possible to see self-luminous planets (10⁻⁵ in flux) at $>^{\sim}1$ arcsec.

For comparison: Solar system analogue at 10 pc gives for Jupiter 10⁻⁹ in flux and 0.5 arcsec.



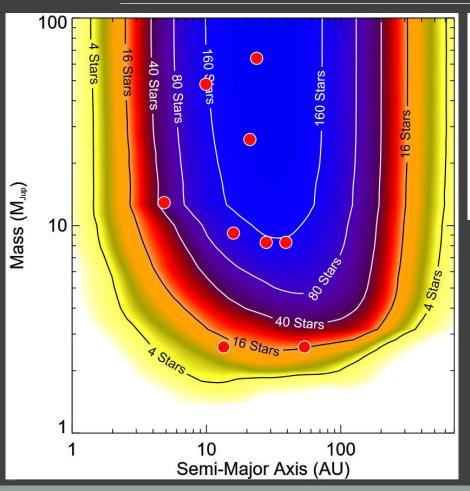


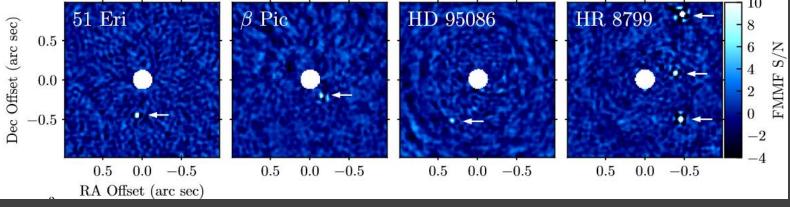
Telescope properties

Instrument	Telescope	Wavelength	Ang. resol. Coronagraph	
		(µm)	(mas)	
ACS	HST	0.2-1.1	20–100	Lyot
STIS	HST	0.2-0.8	20–60	Lyot
NAOS-CONICA	VLT	1.1–3.5	30–90	Lyot/FQPM
VISIR	VLT	8.5–20	200-500	_
SINFONI-SPIFFI	VLT	1.1-2.45	28–62	_
SPHERE	VLT	0.95-2.32	24–62	Lyot/APLC/FQPM
PUEO	CFHT	0.75-2.5	4–140	Lyot
CIAO	SUBARU	1.1–2.5	30–70	Lyot
OSIRIS	Keck I	1.0-2.4	20–100	_
AO–NIRC2	Keck II	0.9–5.0	20–100	Lyot
ALTAIR-NIRI	Gemini N.	1.1-2.5	30–70	Lyot
GPI	Gemini S.	0.9–2.4	24–62	Lyot/APLC
PALM-3000 PHARO	Hale 200"	1.1-2.5	60–140	Lyot/FQPM
PALM-3000 Project1640	Hale 200"	1.06–1.76	43–71	APLC
AO-IRCAL	Shane 120"	1.1–2.5	100–150	_

 $\Theta=(a/d)(1+e) =$ = 1 arcsec (a/AU)(d/pc)⁻¹ (1+e)

GPIES survey (300 stars)



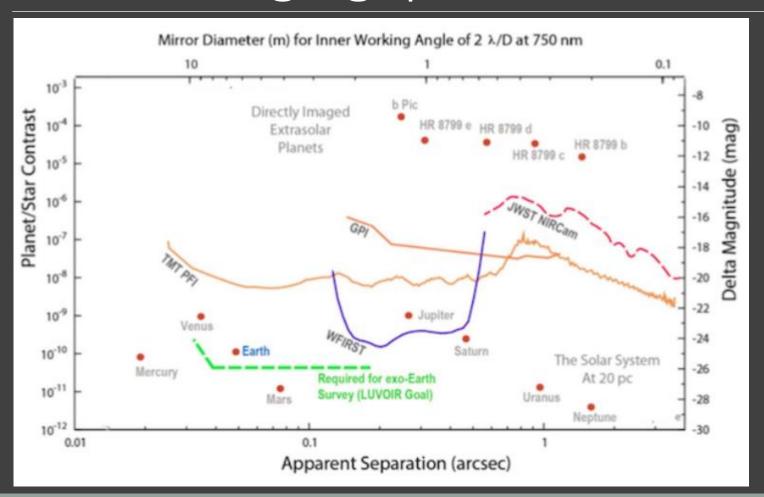


Gemini Planet Imager Exoplanet Survey

10-100 AU

6 planets + 3 brown dwarfs detected

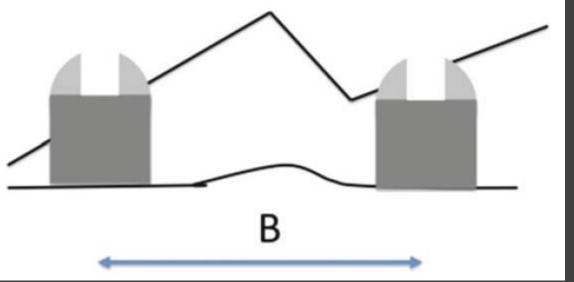
Direct imaging: present and future



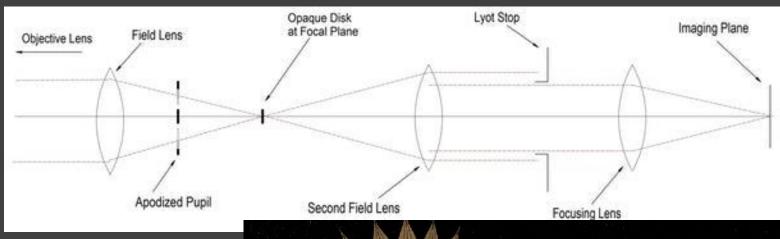
Ground optical interferometers

Instrument	Interf.	Baseline	Bands	Ang. res.	Spec. res.	Aperture
		(m)		(mas)		
AMBER	VLTI	16-200	J,H,K	0.6–14	35-15,000	3
MIDI	VLTI	16-200	N	4-80	20-220	2
PIONIER	VLTI	16-200	H,K	1.5-45	15	4
V2	Keck I	85	H,K,L	2–5	25-1800	2
Nuller	Keck I	85	N	10–16	40	2
Mask	Keck	1–10	J to L	13-400	None	2
Classic	CHARA	34-330	H,K	0.5–7	None	2
FLUOR	CHARA	34–330	K	0.7–7	None	2
MIRC	CHARA	34–330	J,H	0.4–5	40-400	4
BLINC	MMT	4	N	250	None	2
LMIRCAM	LBTI	14-23	L,M	27–72	None	2
NOMIC	LBTI	14–23	N	72–200	None	2

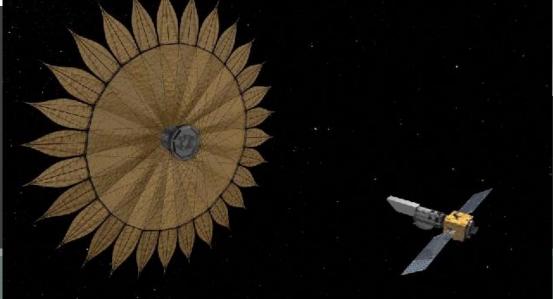
Better resolution, but smaller aperture

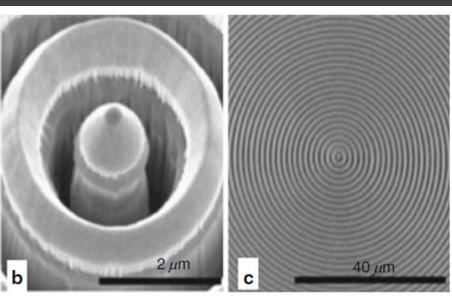


Coronagraphs



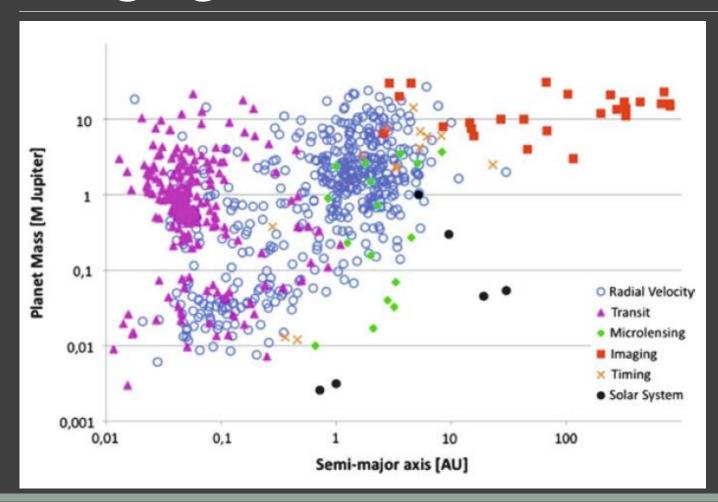
To obtain planet images different kinds of coronagraphs are used.





Riccardo Claudi (in Bozza et al. 2016)

Imaging vs. other methods



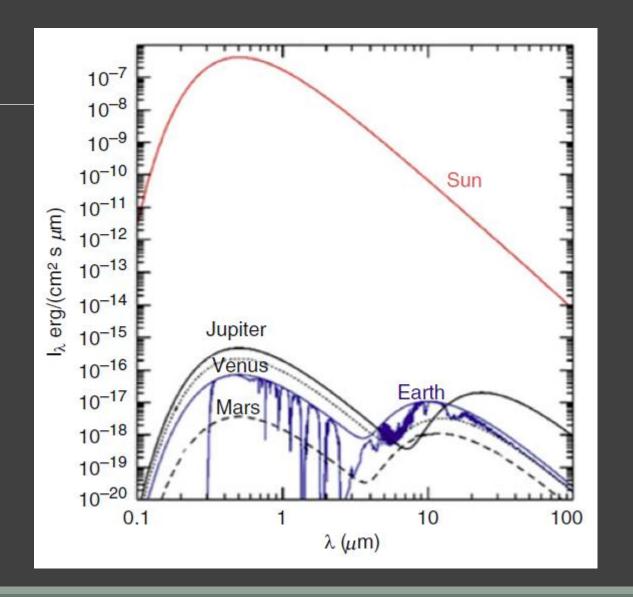
Solar system

Notice, how much better planets are visible in IR. Especially Jupiter at 20-30 micrometers.

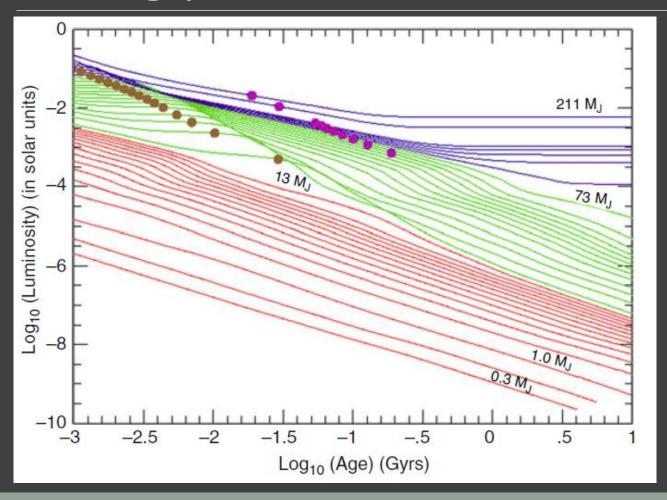
Reflected flux

$$F_{\mathrm{p,Vis}} = A(\lambda, t)\phi(t)\frac{R_{\mathrm{p}}^2}{4a^2}B(\lambda, T_{\mathrm{eff}})R_{\star}^2,$$

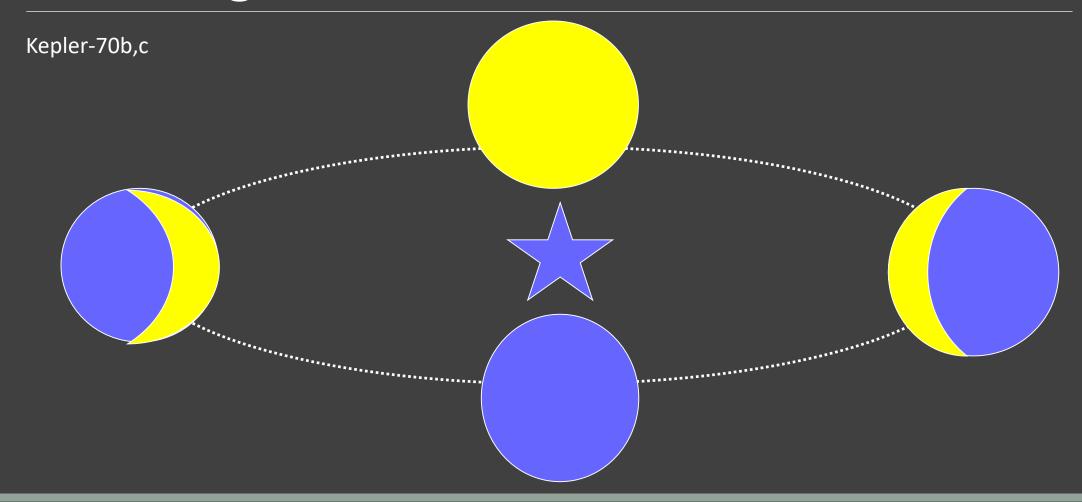
(A – albedo, a – semimajor axis, φ - phase)



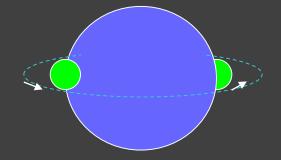
Young planets are hotter



Planet light identification



IR light



55 Cnc e

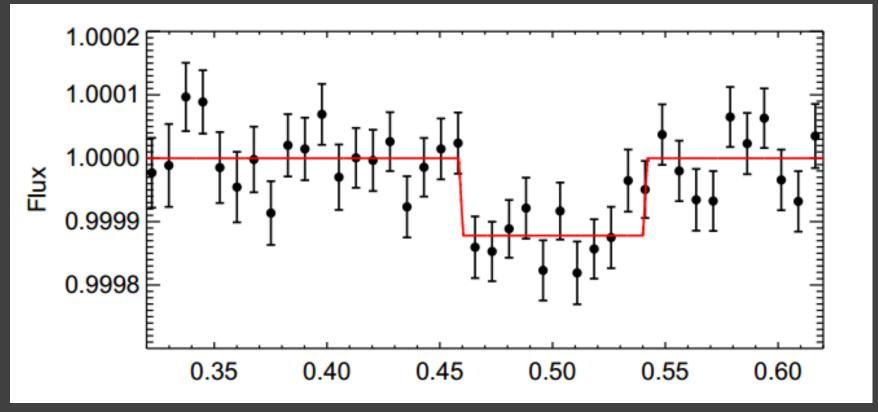
Mass: 7-8 Earth mass

Semi-major axis: 0.016 AU

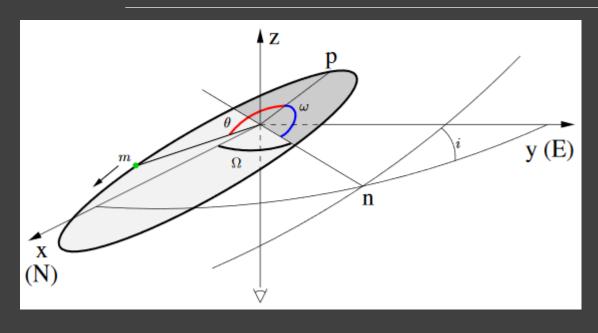
Orbital period: 0.74 days

Temperature 2000-2600K

Occultation light curve



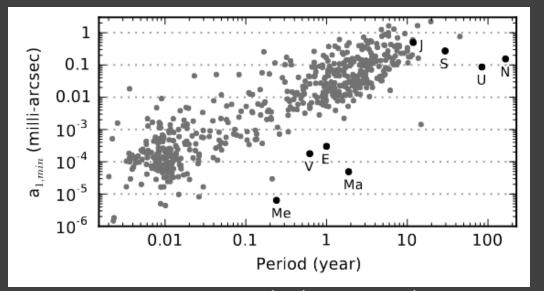
Astrometric detection



$$4\pi^2 \ \frac{\bar{a}_1^3}{P^2} = G \ \frac{M_P^3}{(M_* + M_P)^2},$$

It is easier to detect massive long period planets on eccentric orbits.

Astrometry allows to determine $M_{planet}^3/(M_{star}+M_{planet})^2$



Data on 570 stars with planets are shown. Solar system data is scaled for a star at 10 pc.

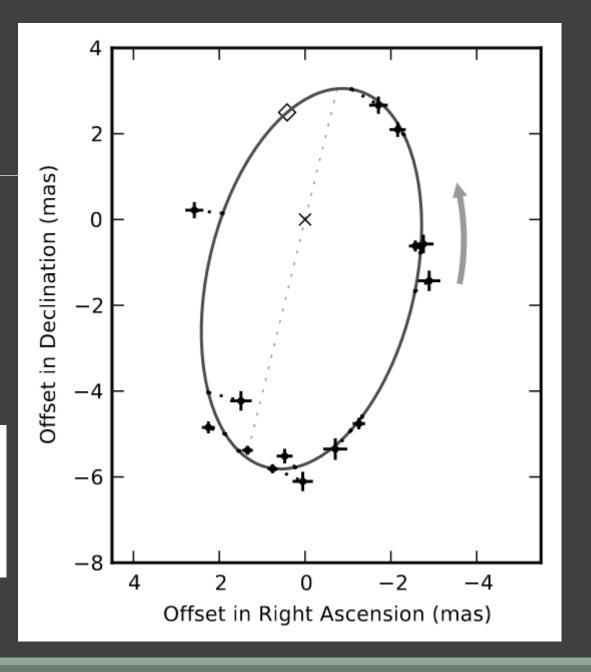
The only candidate

Came out to be a brown dwarf with 28 M_{iup}.

Now waiting for Gaia data.

Fig. 15.— The barycentric orbit of the L1.5 dwarf DENIS-PJ082303.1-491201 caused by a 28 Jupiter mass companion in a 246 day orbit discovered through ground-based astrometry with an optical camera on an 8 m telescope (Sahlmann et al.), 2013a).

Few other candidates have been mentioned by Muterspaugh et al. (2010)



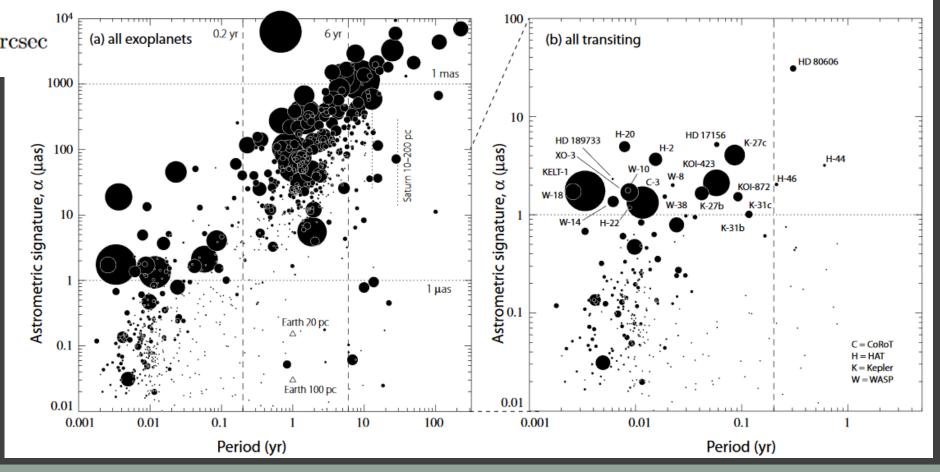
Gaia and astrometric microlensing

 $\alpha = \left(\frac{M_{\rm p}}{M_{\star}}\right) \left(\frac{a_{\rm p}}{1 \text{ AU}}\right) \left(\frac{d}{1 \text{ pc}}\right)^{-1} \text{arcsec}$

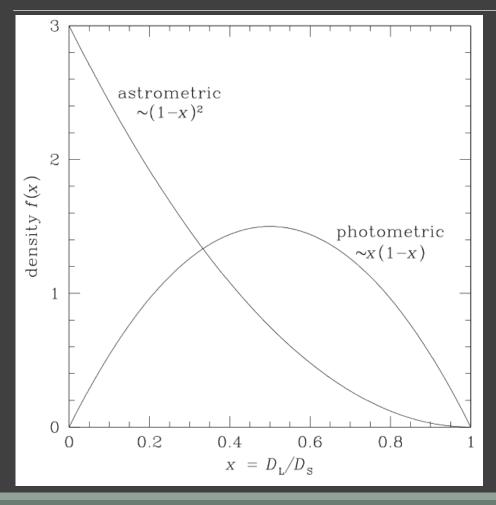
Precision of Gaia is ~30 microarcsec (see also 1704.02493).

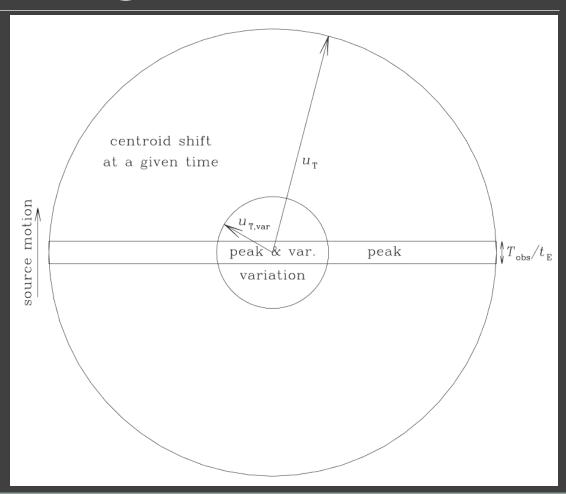
Optimistic estimates: tens of thousand planets (~20000-30000).

Mostly massive and with long orbital periods up to ~500 pc distance.

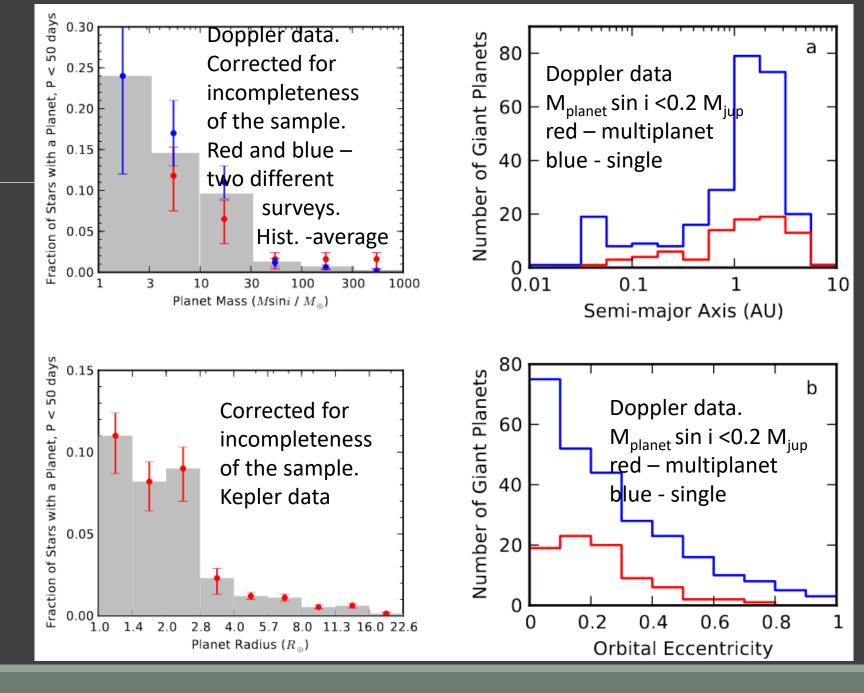


Astrometric microlensing





Planetary statistics



Literature

arxiv:1505.06869 Exoplanet Detection Techniques

arxiv:1504.04017 The Next Great Exoplanet Hunt

arxiv:1410.4199 The Occurrence and Architecture of Exoplanetary Systems

arXiv:1708.00896 Timing by Stellar Pulsations as an Exoplanet Discovery Method

arxiv:1706.09849 Transit Timing and Duration Variations for the Discovery and Characterization of Exoplanets

arxiv:1705.05791 Exoplanet Biosignatures: A Review of Remotely Detectable Signs of Life

arxiv:1704.07832 Mapping Exoplanets

arxiv:1701.05205 Characterizing Exoplanets for Habitability

arxiv:1411.1173 Astrometric exoplanet detection with Gaia

arxiv:1001.2010 Transits and Occultations

arxiv:0904.0965 Astrometric detection of earthlike planets

arXiv:0904.1100 Exoplanet search with astrometry

arxiv:0902.1761 Detection of extrasolar planets by gravitational microlensing

ApJ (2000) Dominik, Sahu Astrometric microlensing

arXiv:1810.02691 Microlensing searches for exoplanets

